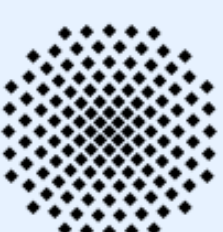
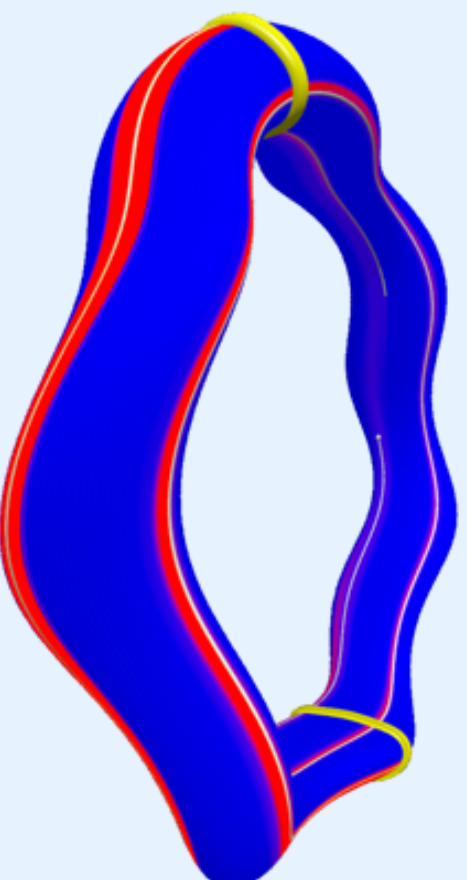




Institut für Plasmaforschung  
Universität Stuttgart



# 3D Effects in Drift-Wave Turbulence



G. Birkenmeier, Z. Ivady, B. Nold,  
M. Ramisch, U. Stroth

TTF-Workshop, San Diego, April 9<sup>th</sup>, 2011

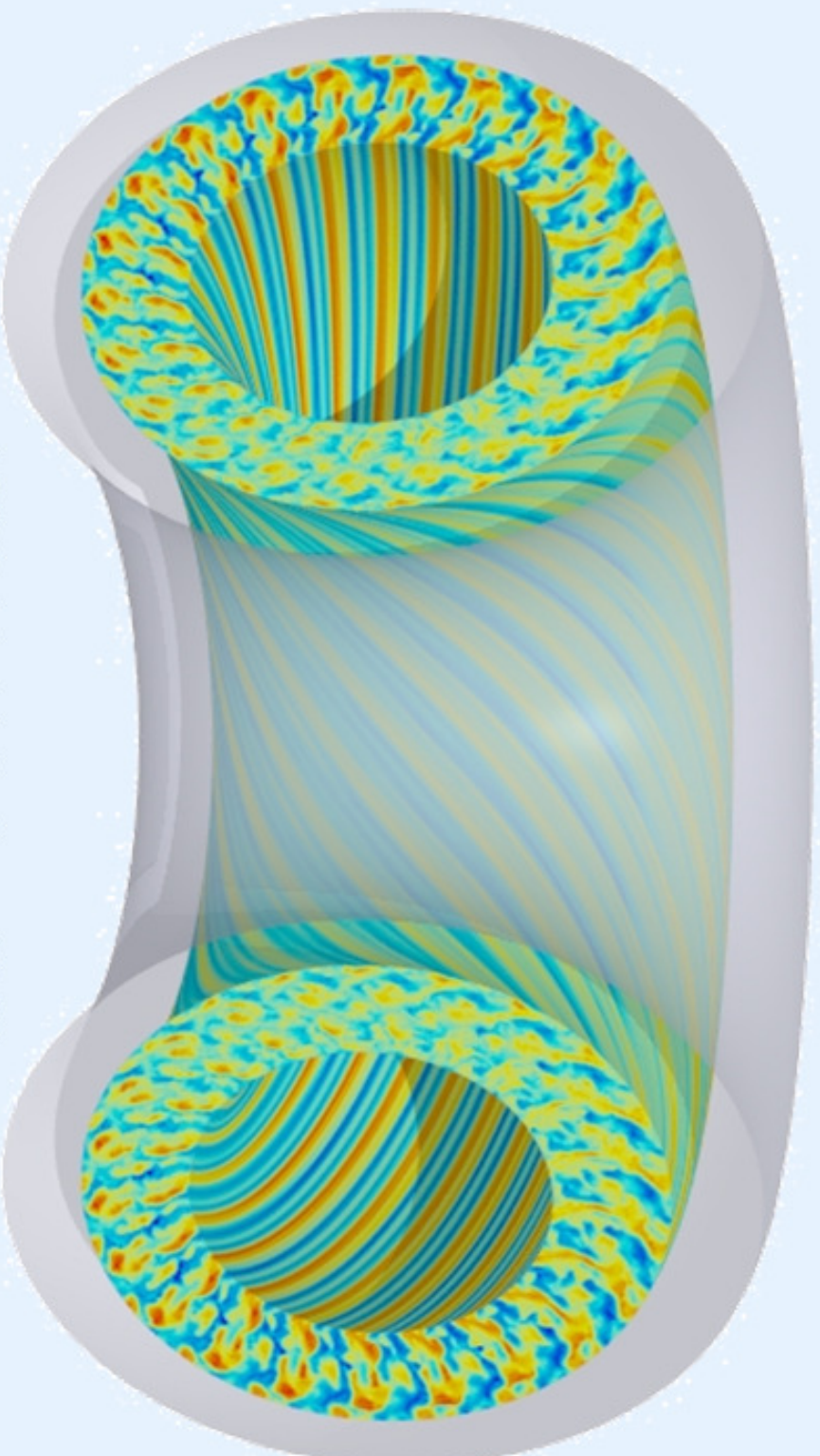
**Why Turbulence Investigation in 3D?**

**Turbulence Experiment T J-K**

**Experimental Results I: Turbulent Transport Measurements**

**Experimental Results II: 3D-Shape and Dynamics of Turbulent Structures**

## Drift-wave turbulence: a 3D phenomenon



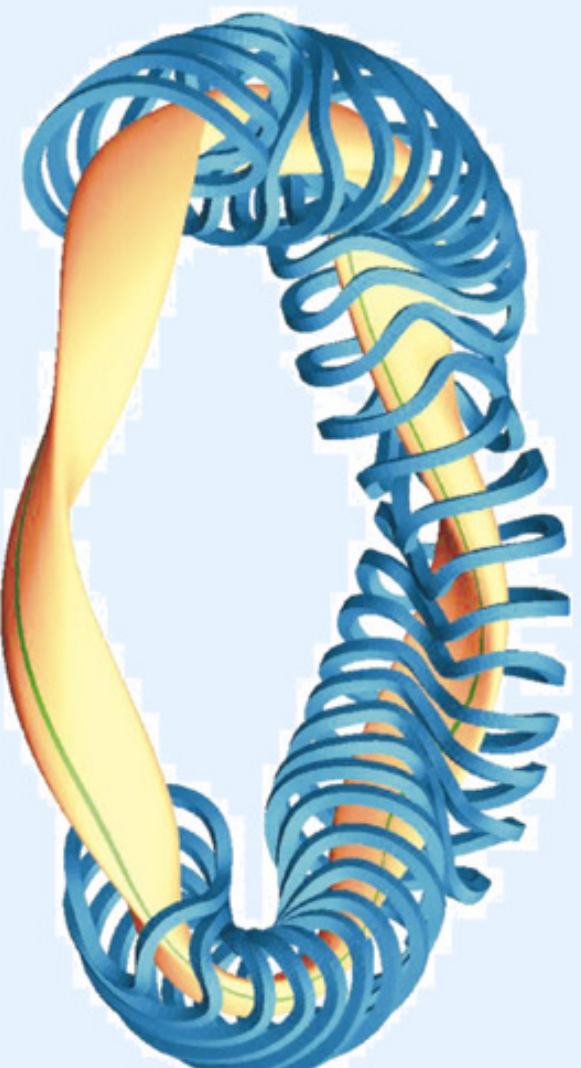
[GENE, F. Jenko *et al.*, Phys. Plasmas **7** (2000)]

- ▶ Elongation, triangulation vs. confinement
- ▶ Poloidal transport asymmetries: influx into SOL and divertor

## Drift-wave turbulence: a 3D phenomenon

E.g.: Optimization criteria for W7-X:

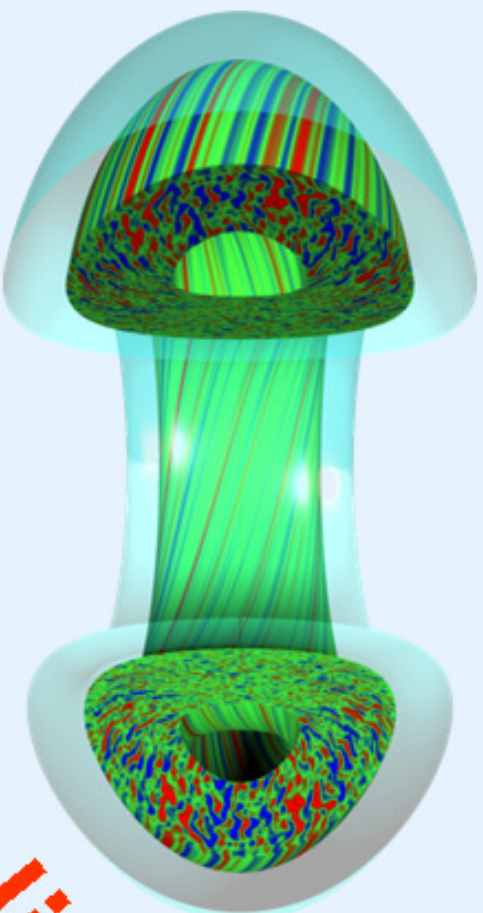
- ▶ “good” vacuum flux surfaces (small islands)
- ▶ high  $\beta$
- ▶ high MHD-stability
- ▶ small neoclassical transport
- ▶ small bootstrap-current
- ▶ good alpha particle confinement
- ▶ modular coil design



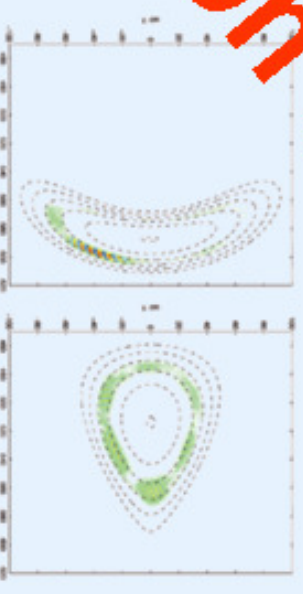
[IPP, Greiftswald, [www.ipp.mpg.de](http://www.ipp.mpg.de)]

**Missing: minimization of turbulent transport!**

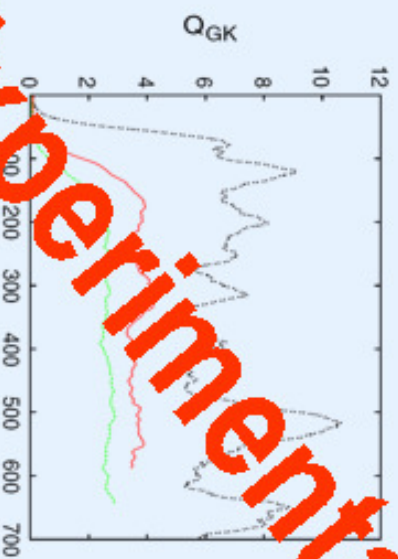
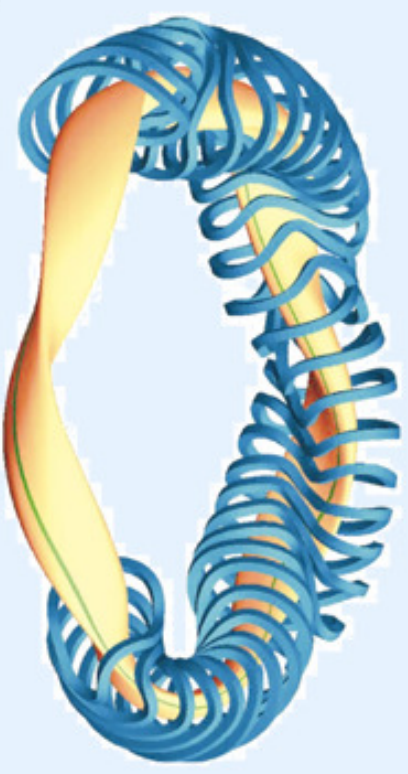
# Drift-wave turbulence: a 3D phenomenon



[GYRO, Candy, Waltz, General Atomics]



[V. Kornilov et al., Pop **11**, (2004)]

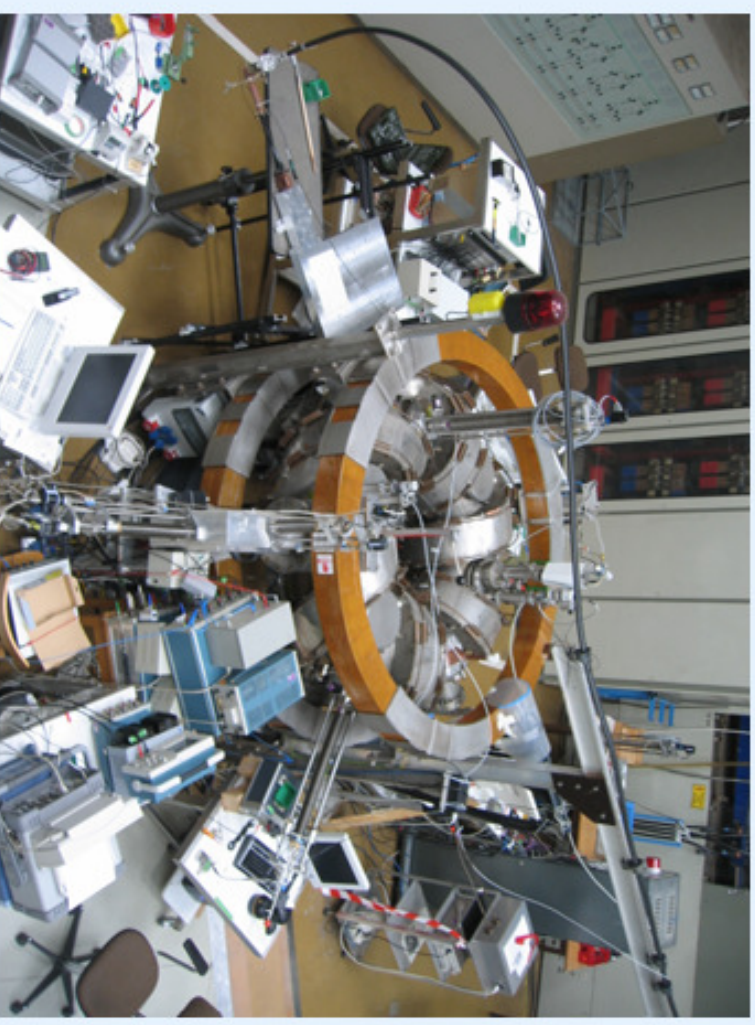


[Mynick, Pomphrey, and Xanthopoulos, PRL **105** (2010)]

**Experimental validation wanted!**

## Stellarator T-J-K

- ▶ Major plasma radius:  $R = 0,6 \text{ m}$
- ▶ Minor plasma radius:  $a = 0,1 \text{ m}$
- ▶ Magnetic field:  $48 \text{ mT} \leq B \leq 300 \text{ mT}$
- ▶ **Electron temperature:  $T_e \approx 10 \text{ eV}$**
- ▶ **Ion temperature:  $T_i \approx 1 \text{ eV}$**
- ▶ Electron density:  $n_e \approx 5 \cdot 10^{17} \text{ m}^{-3}$
- ▶ Gases: H, D, He, Ne, Ar
- ▶ Iota:  $0.13 - 0.4$

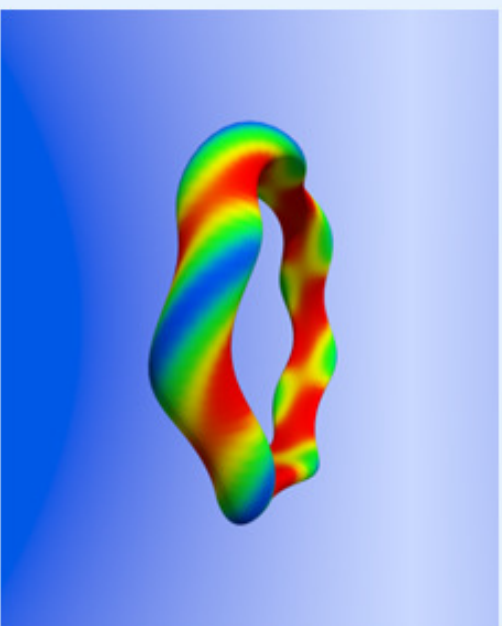


▶ **Langmuir-probes accessible to the whole confinement region**

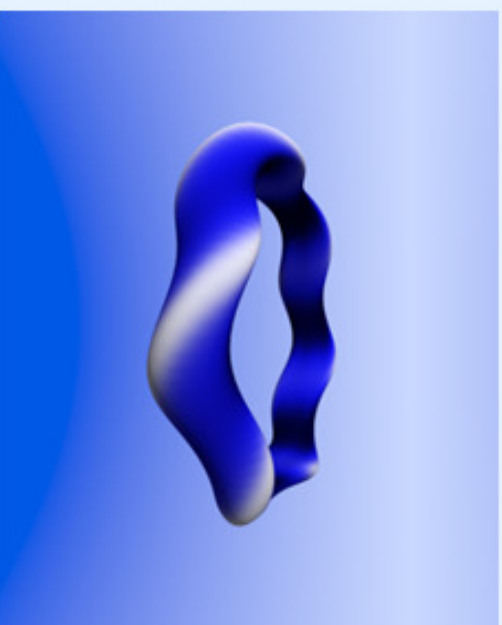
▶ **Discharges dimensionally similar to fusion edge plasmas**

# Turbulence Experiment T-J-K

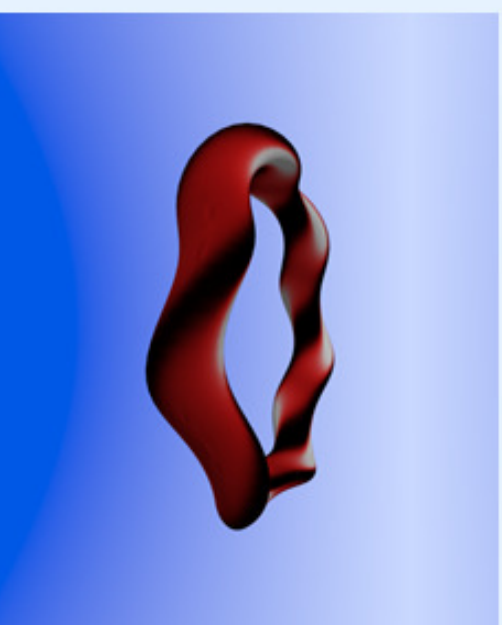
**B-field and curvatures for T-J-K:**



$|B|$



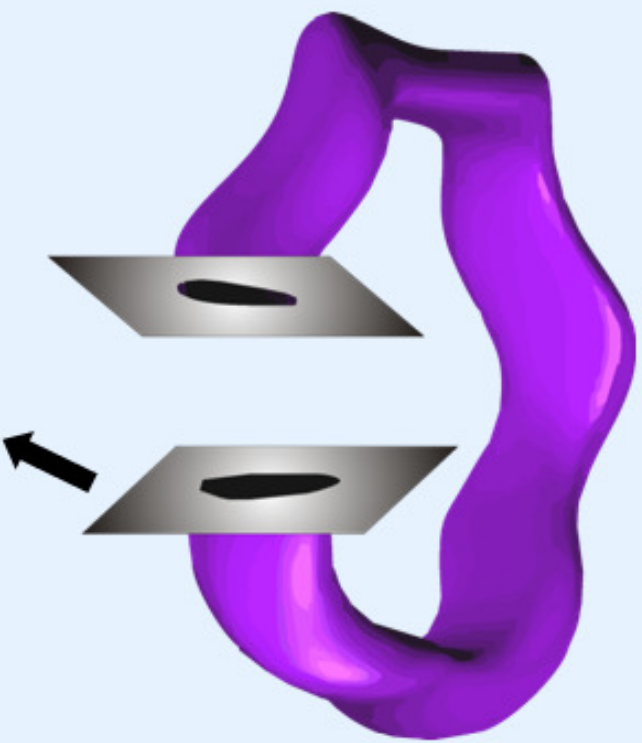
normal curvature



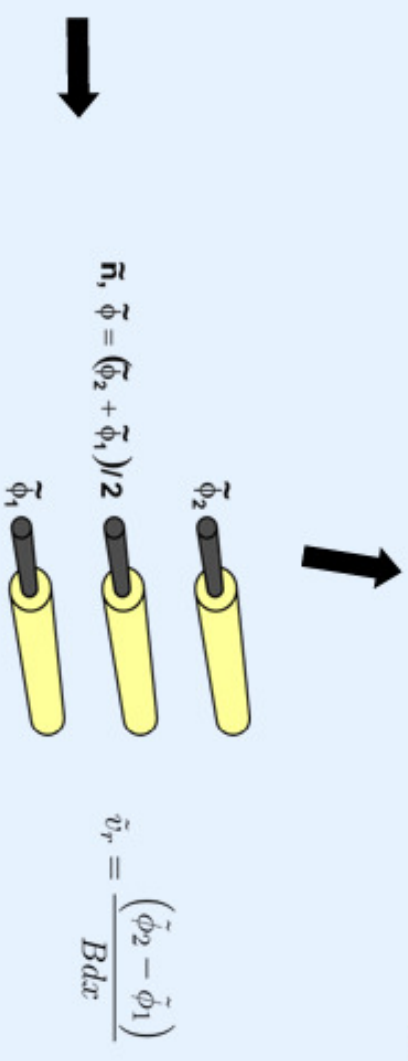
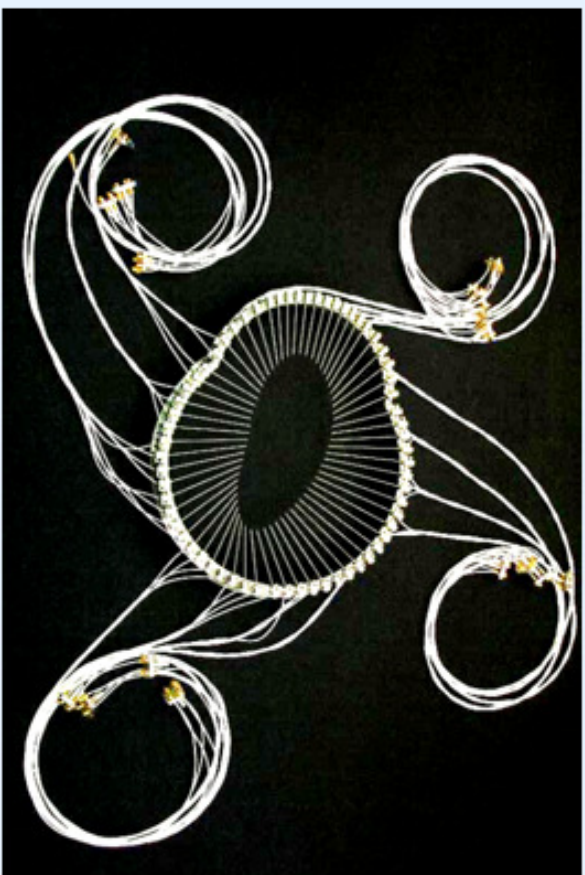
local magnetic shear


 How does drift-wave turbulence behave in 3D?

# Measurements at a Poloidal Cross Section



- ▶ Fluctuations:
- ▶ Ion-saturation current:  $\tilde{I}_{i,sat} \sim \tilde{n}$
- ▶ Floating potential:  $\tilde{\phi}_{fl} \sim \tilde{\phi}_p$
- ▶ Transport:  $\Gamma = \langle \tilde{n} \tilde{v}_r \rangle$

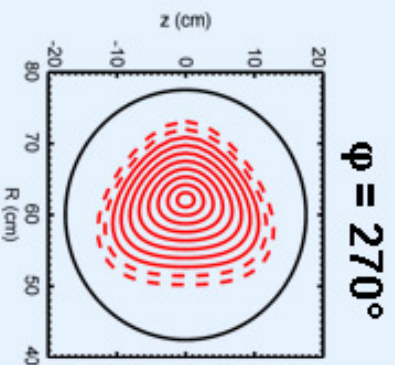
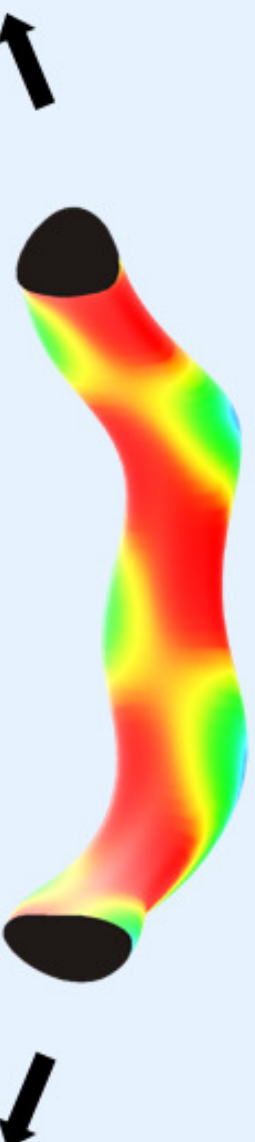


64 Langmuir-probes at one toroidal position

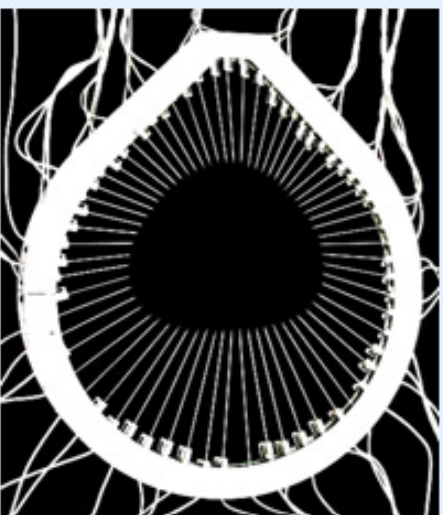


# Turbulence Experiment T-J-K

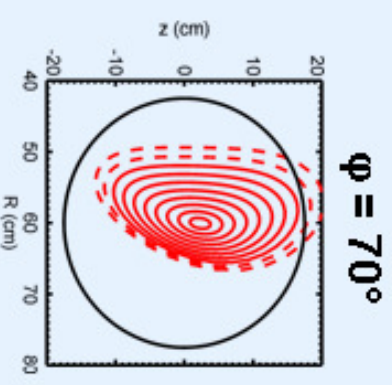
Simultaneous measurements at 128 positions on a flux surface



Outer Port Array (OPA)

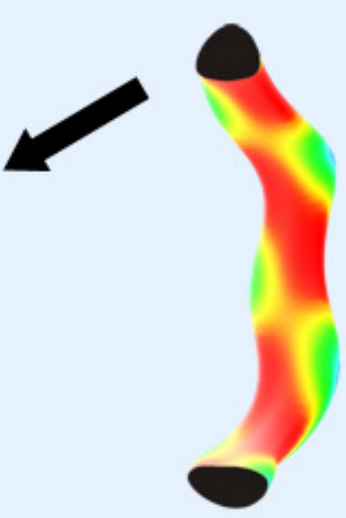
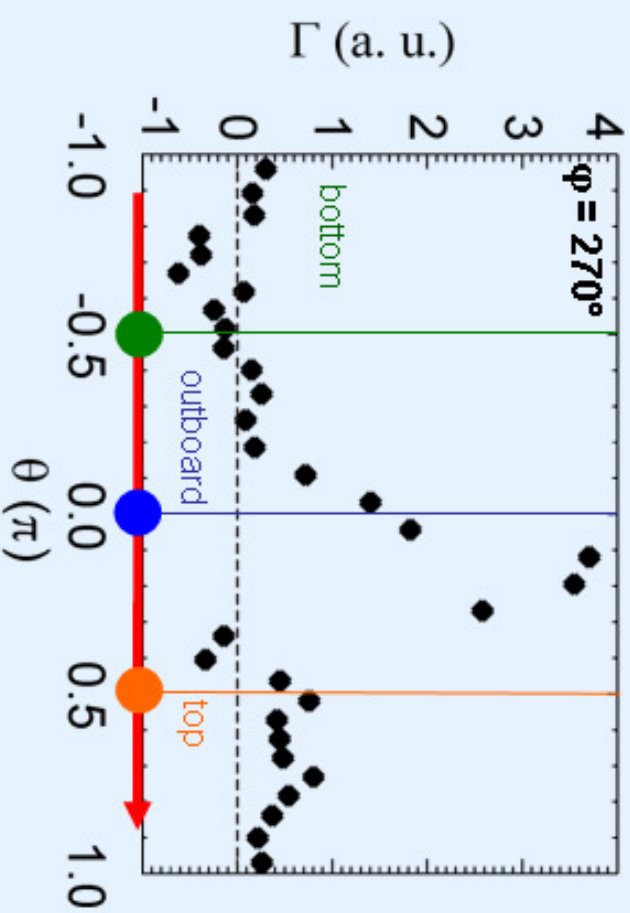


Top Port Array (TPA)

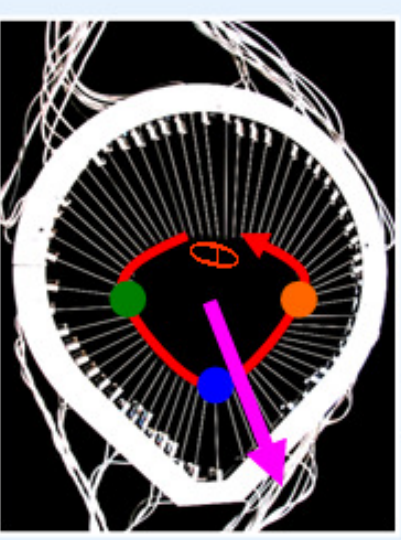


# Turbulent Transport Measurements

Turbulent transport:

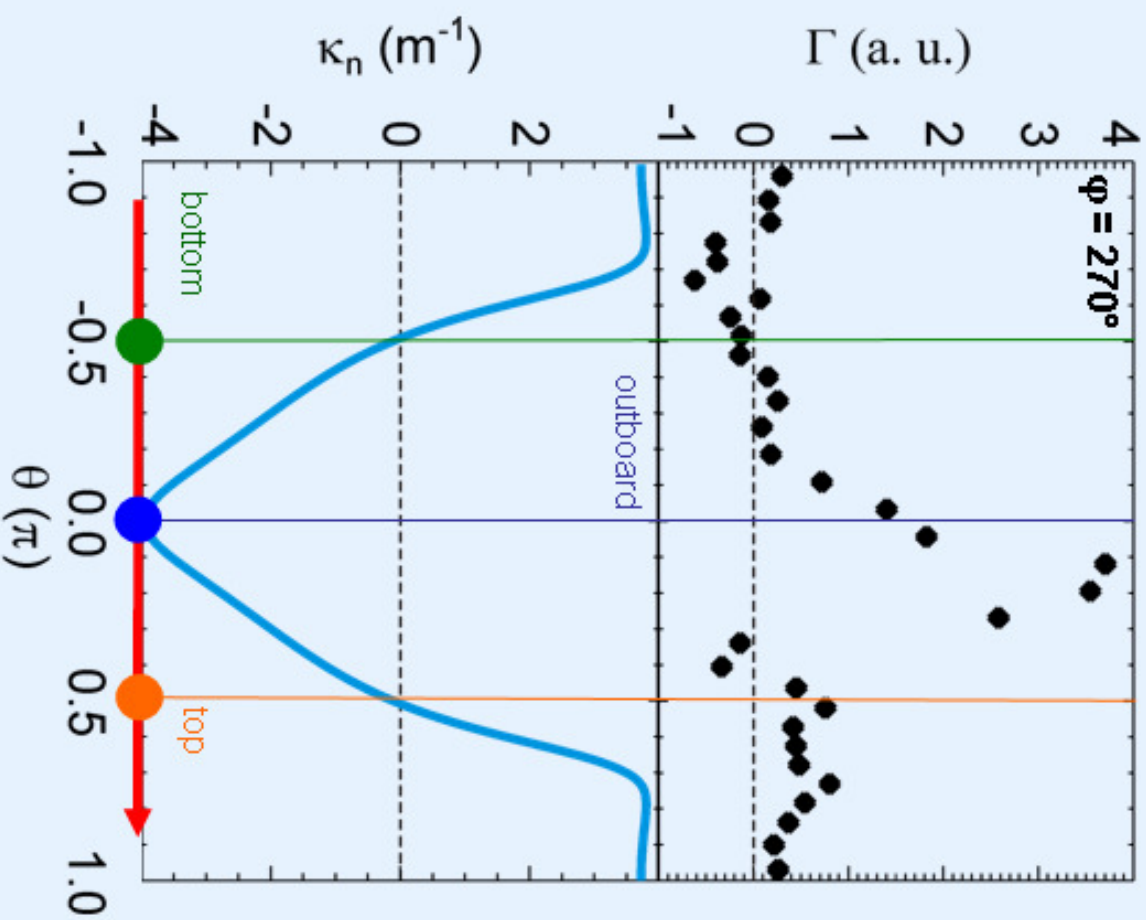


Outer Port Array (OPA)

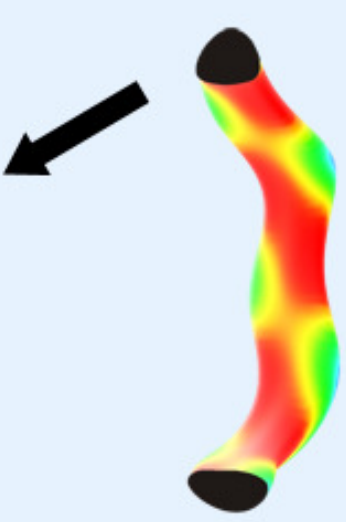


# Turbulent Transport Measurements

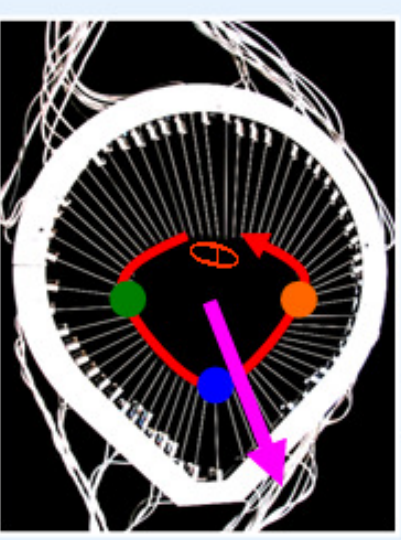
Turbulent transport:



Normal curvature:

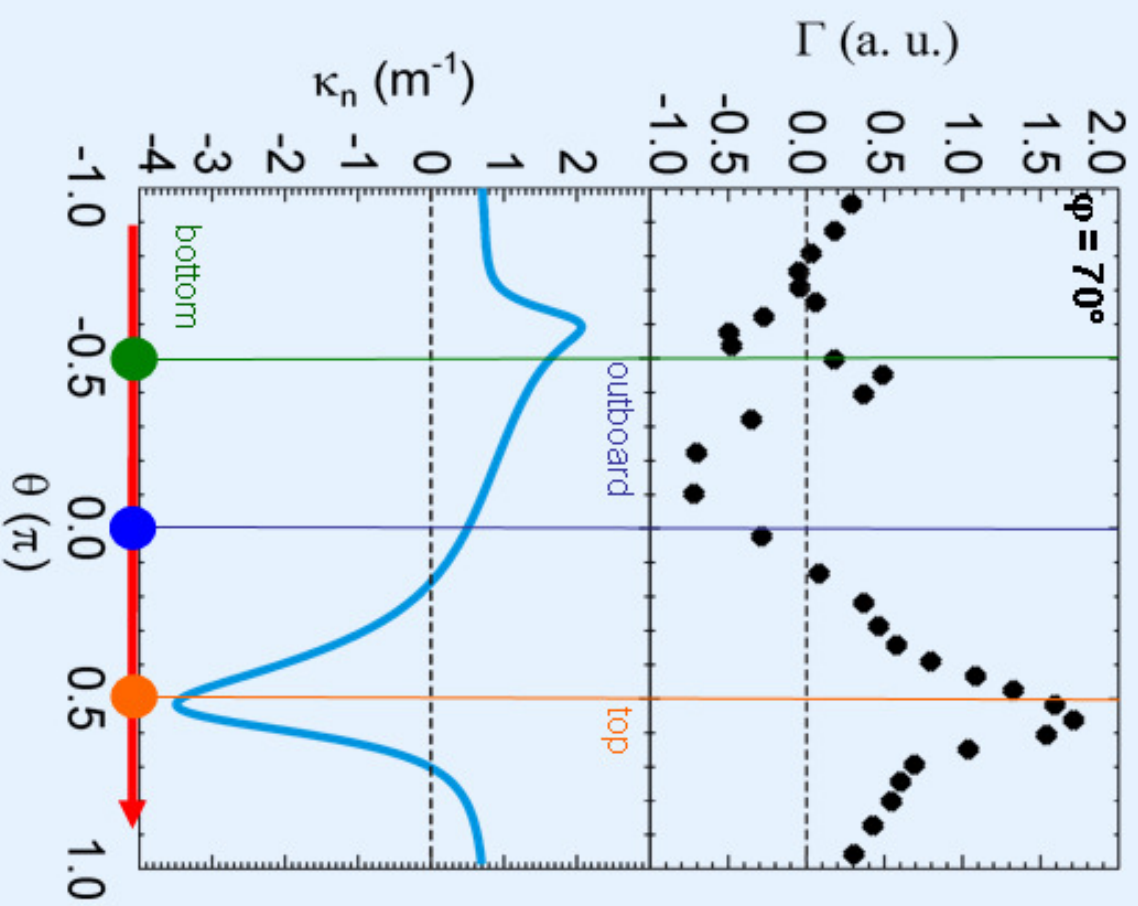


Outer Port Array (OPA)

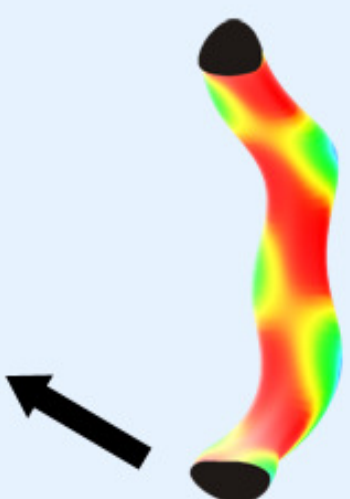


# Turbulent Transport Measurements

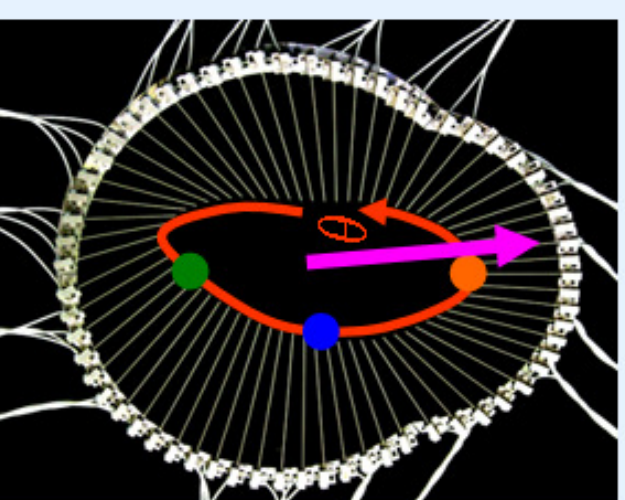
Turbulent transport:



Normal curvature:



Top Port Array (TPA)



## Comparison with growth rates from a drift-fluid model:

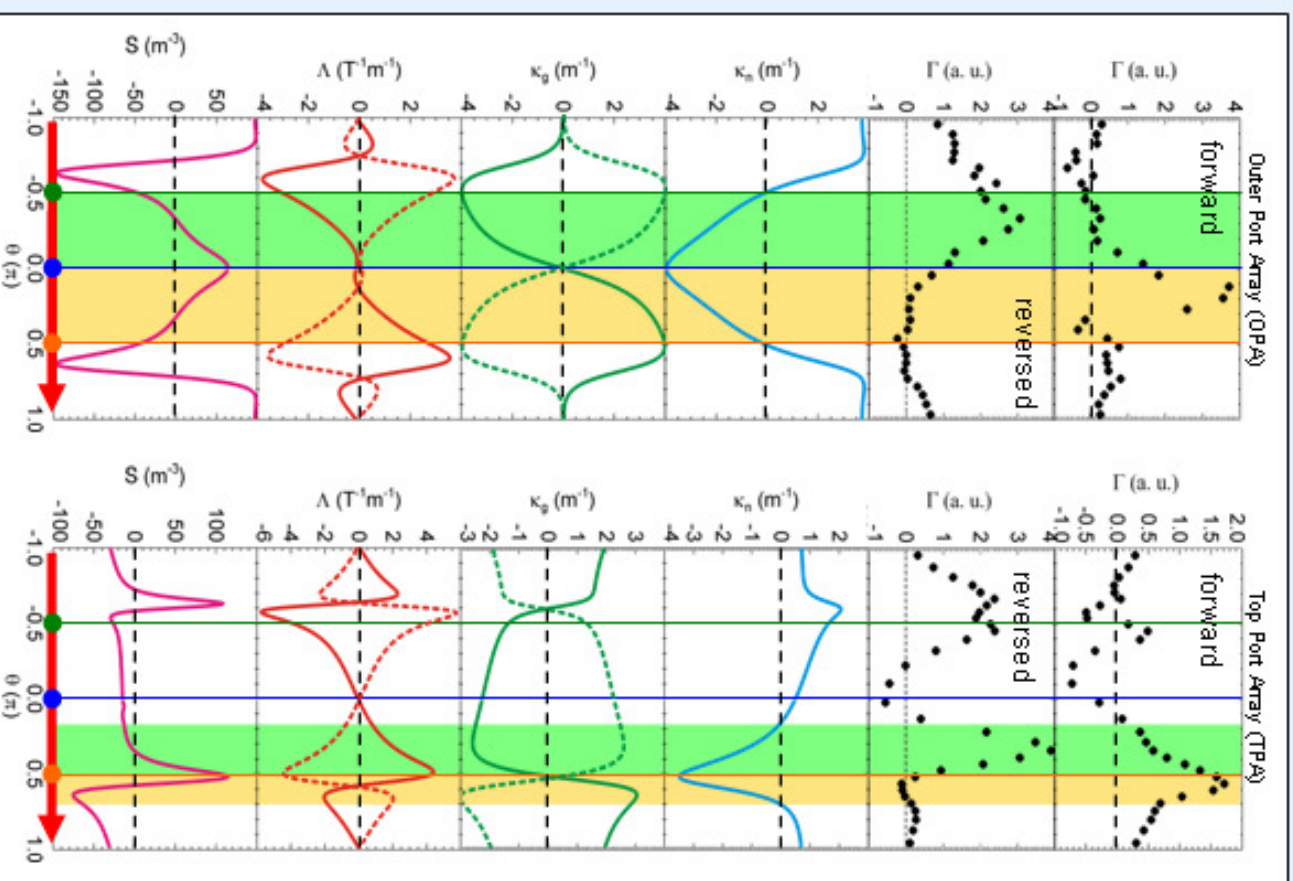
$$\gamma \sim -\Omega_d = -\frac{T_e}{e\chi'} k_\alpha \left[ (\ln n_0)' - \frac{2}{\sqrt{G_{SS}}} \left\{ \kappa_n + \kappa_g \frac{\chi'}{B} G_{SS} (\Theta_k - \Lambda) \right\} \right]$$

Normal curvature  $\mathcal{K}_n = \vec{\kappa} \cdot \vec{n}$

Geodesic curvature  $\mathcal{K}_g = \vec{\kappa} \cdot (\vec{n} \times \vec{t})$

Integrated local magnetic shear  $\Lambda = \frac{g^{p\zeta}}{g^{pp}}$

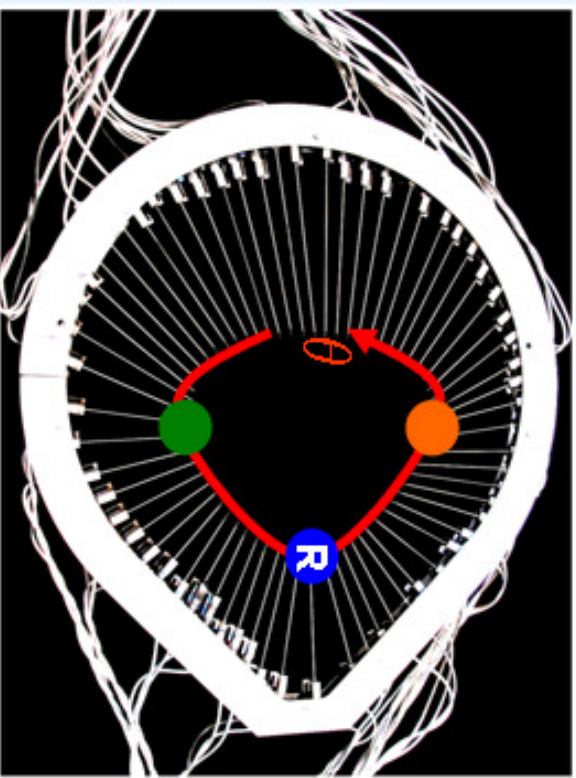
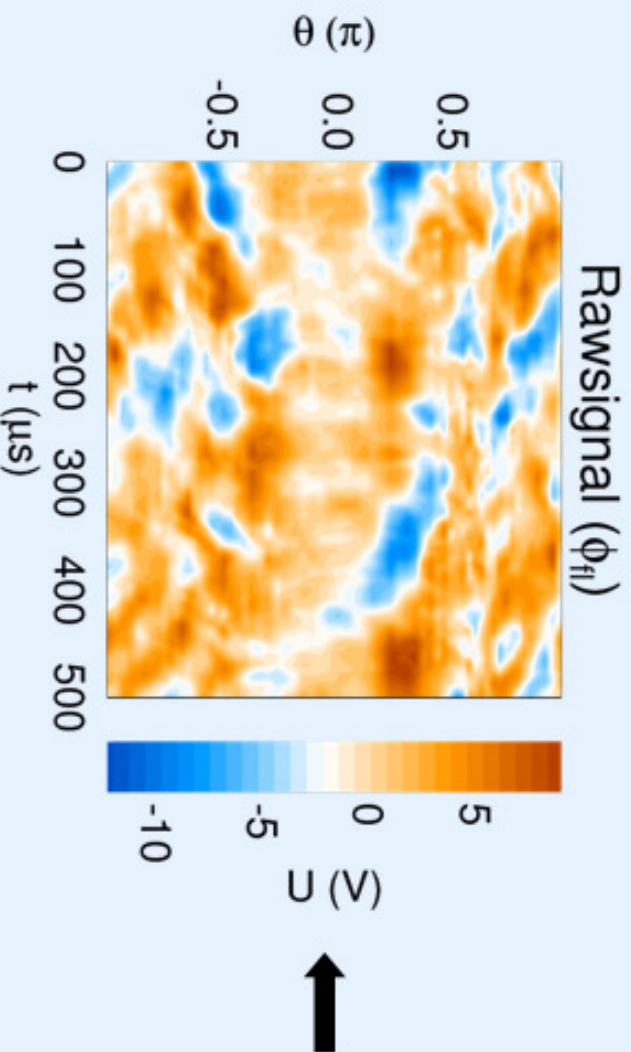
Local magnetic shear  $S = -B \cdot \nabla \Lambda$



# 3D-Shape of Turbulent Structures

**Cross correlation detects coherent structures:**

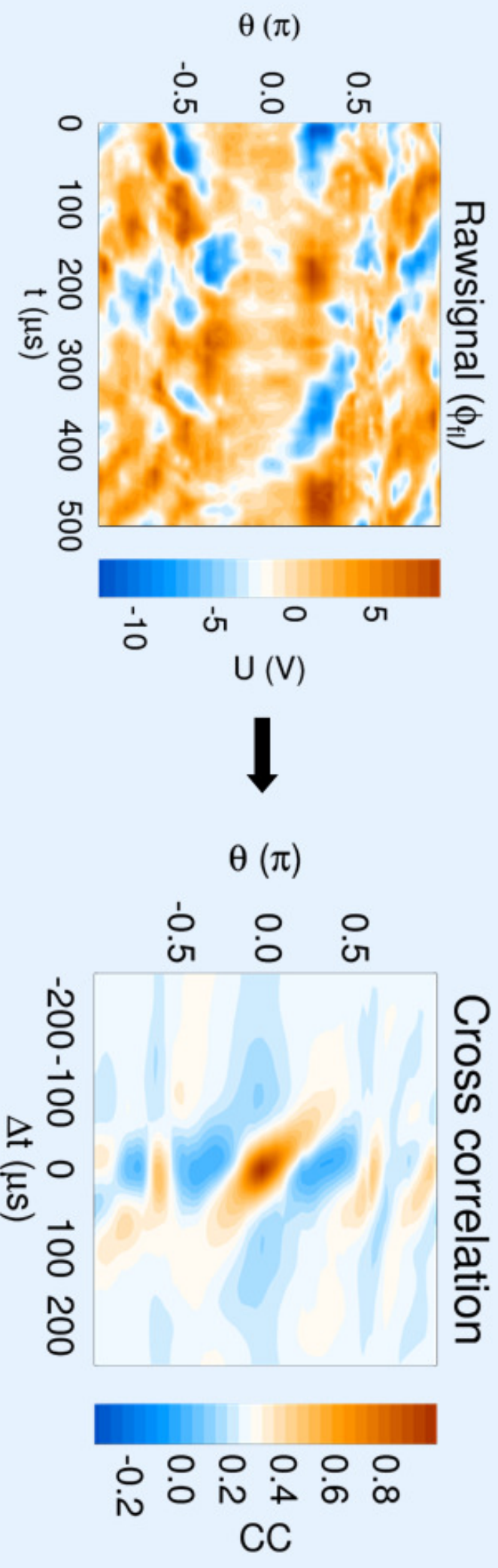
$$C_{x,y}(\Delta t) = \frac{\langle x(t) y(t + \Delta t) \rangle}{\sigma_x \sigma_y}$$



# 3D-Shape of Turbulent Structures

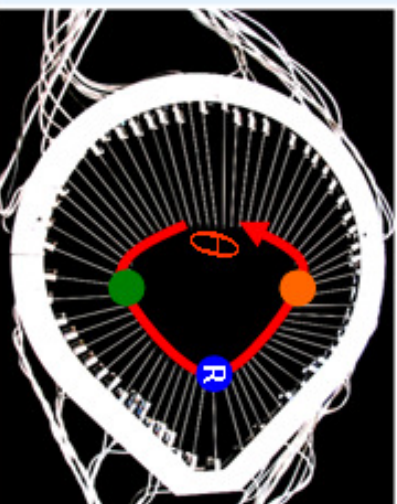
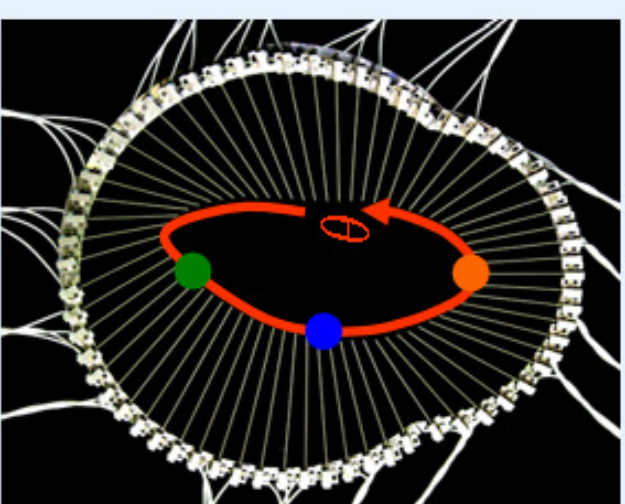
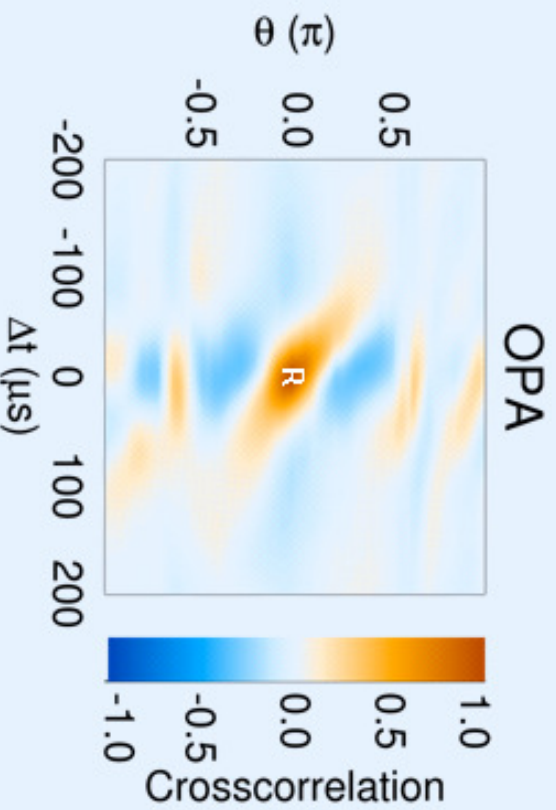
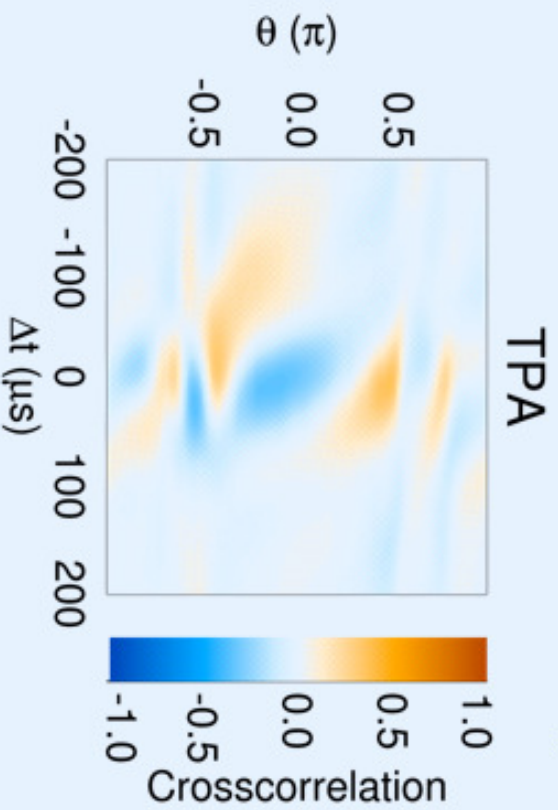
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$$C_{x,y}(\Delta t) = \frac{\langle x(t) y(t + \Delta t) \rangle}{\sigma_x \sigma_y}$$



# 3D-Shape of Turbulent Structures

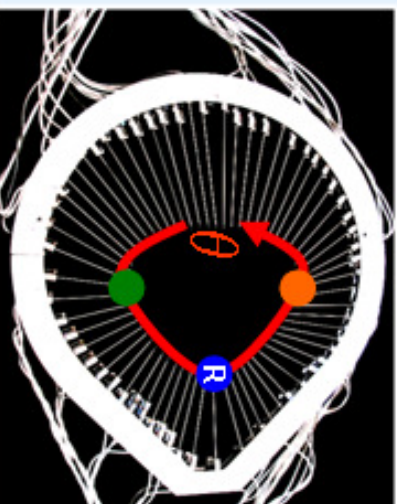
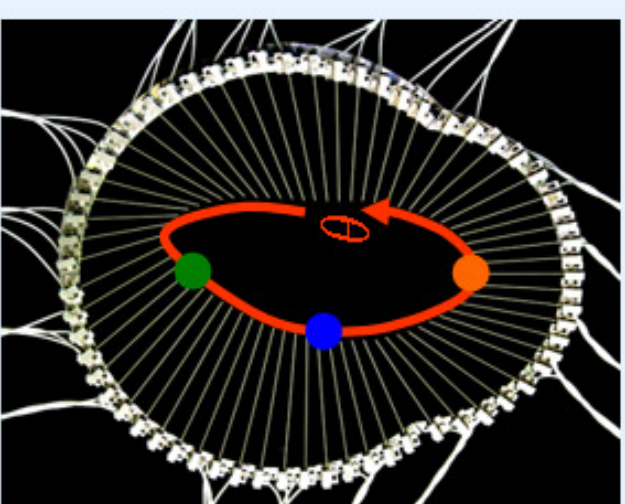
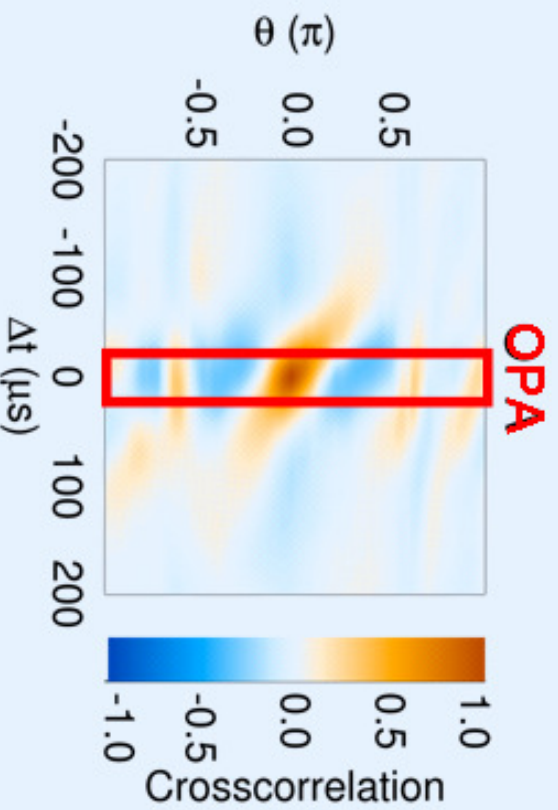
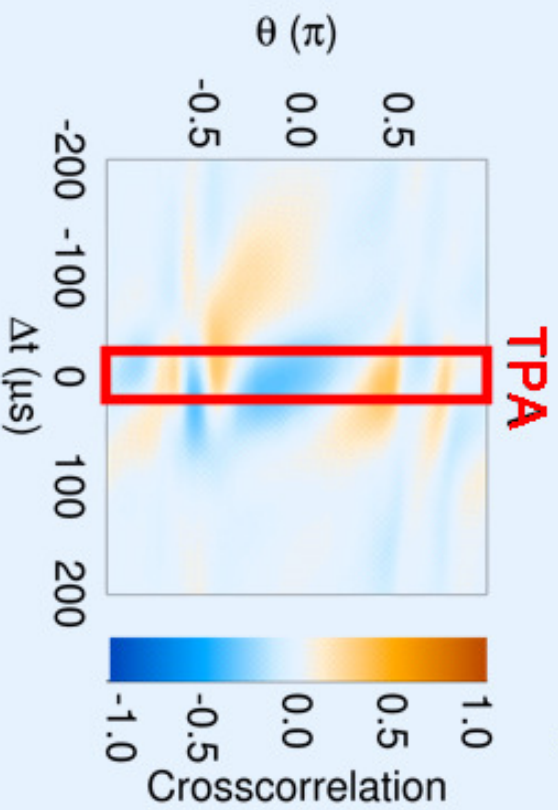
Cross correlation between both arrays:



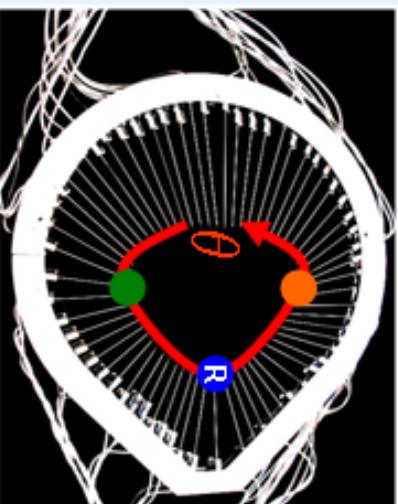
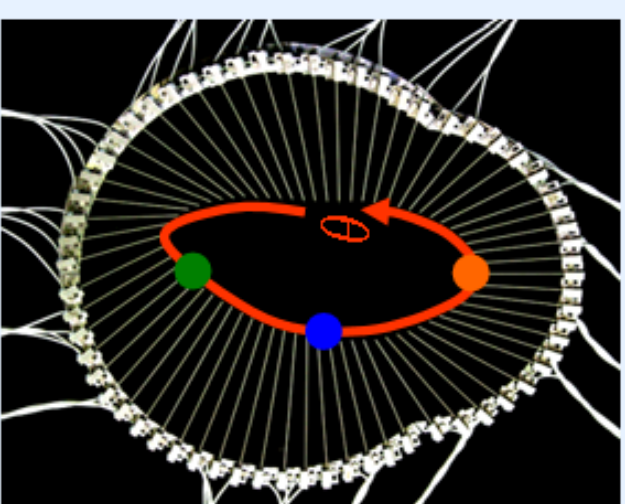


# 3D-Shape of Turbulent Structures

Cross correlation between both arrays:

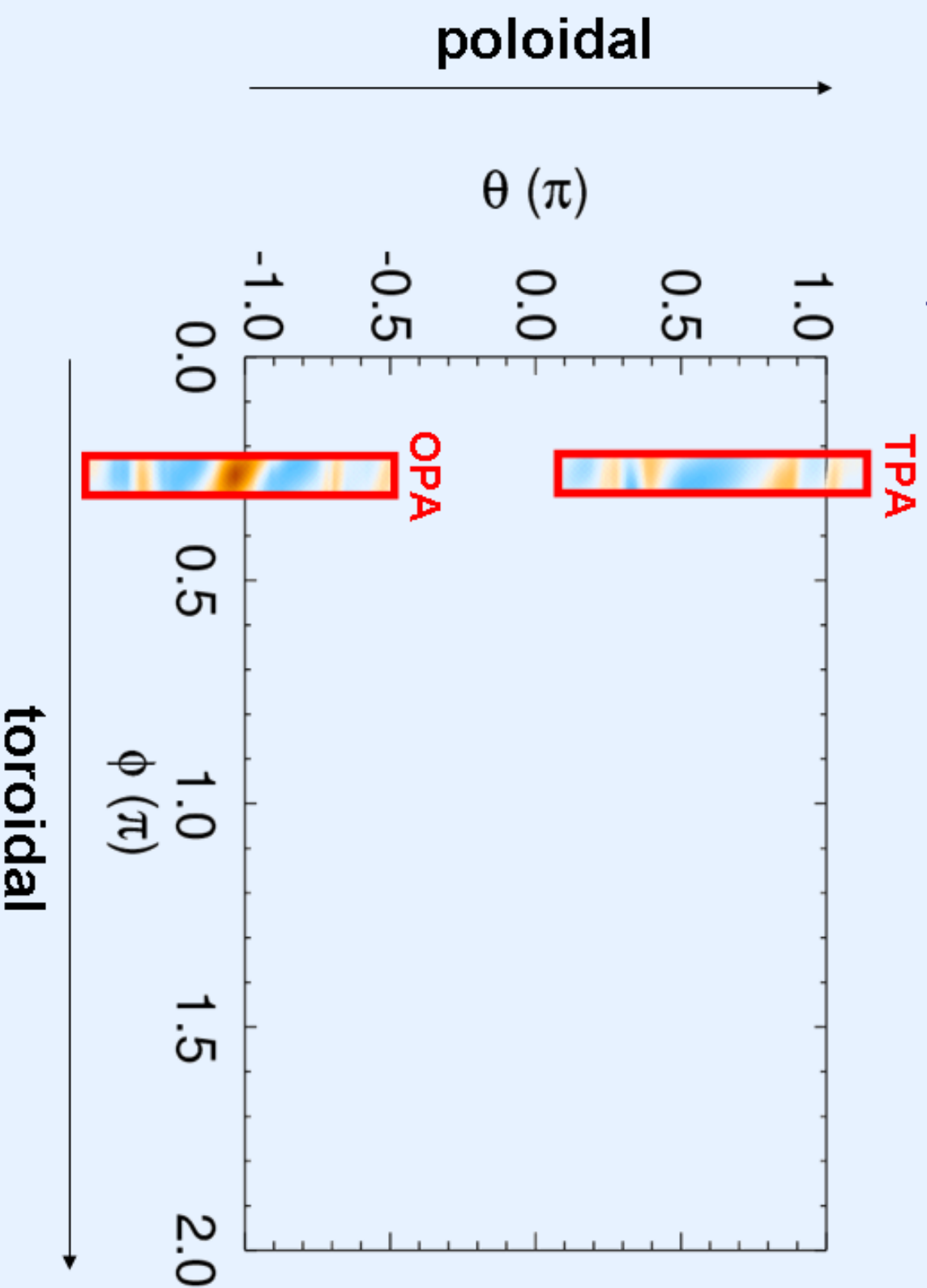


Cross correlation between both arrays:



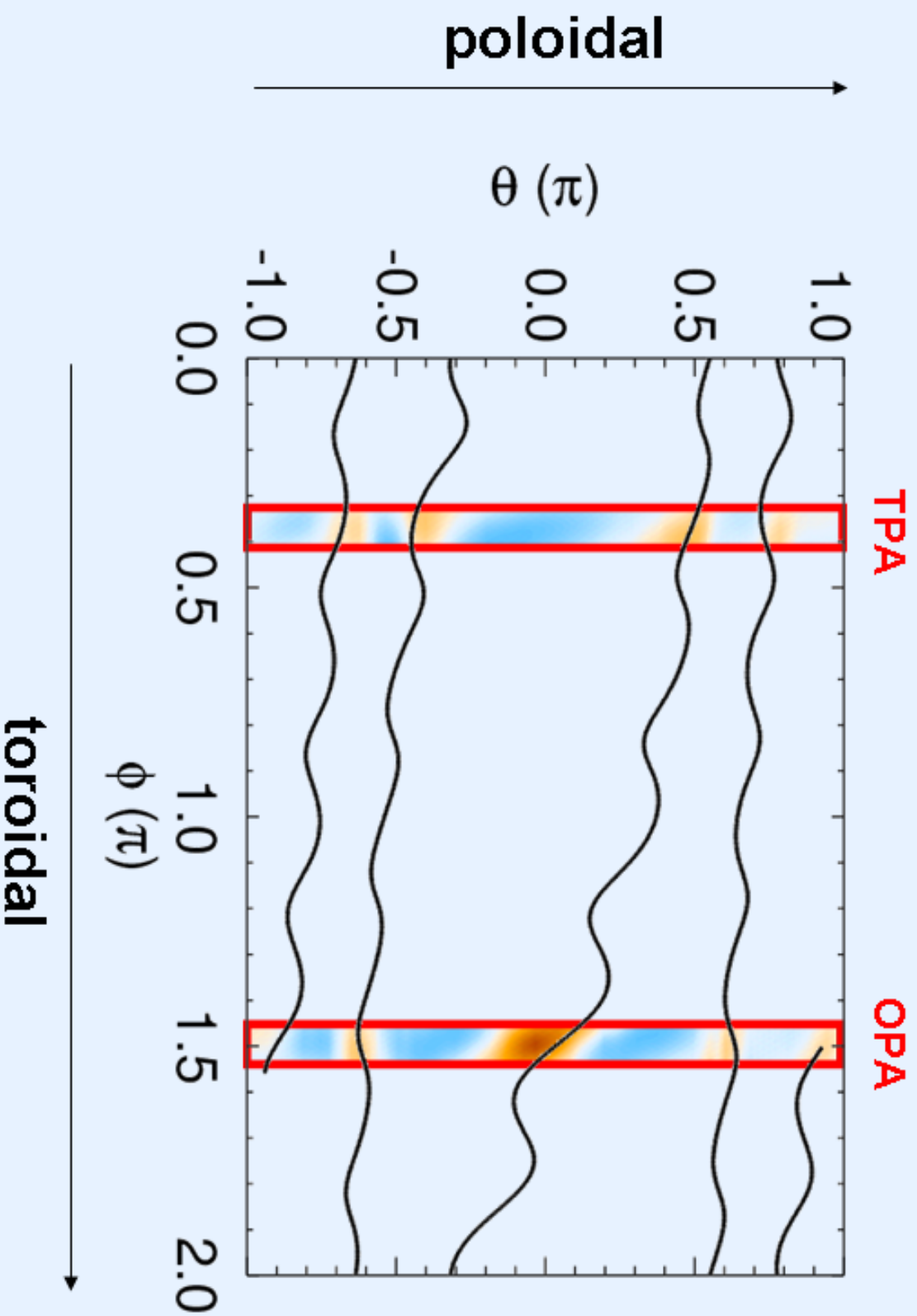
# 3D-Shape of Turbulent Structures

Position in the  $\phi$ - $\theta$  plane of a fluxsurface:

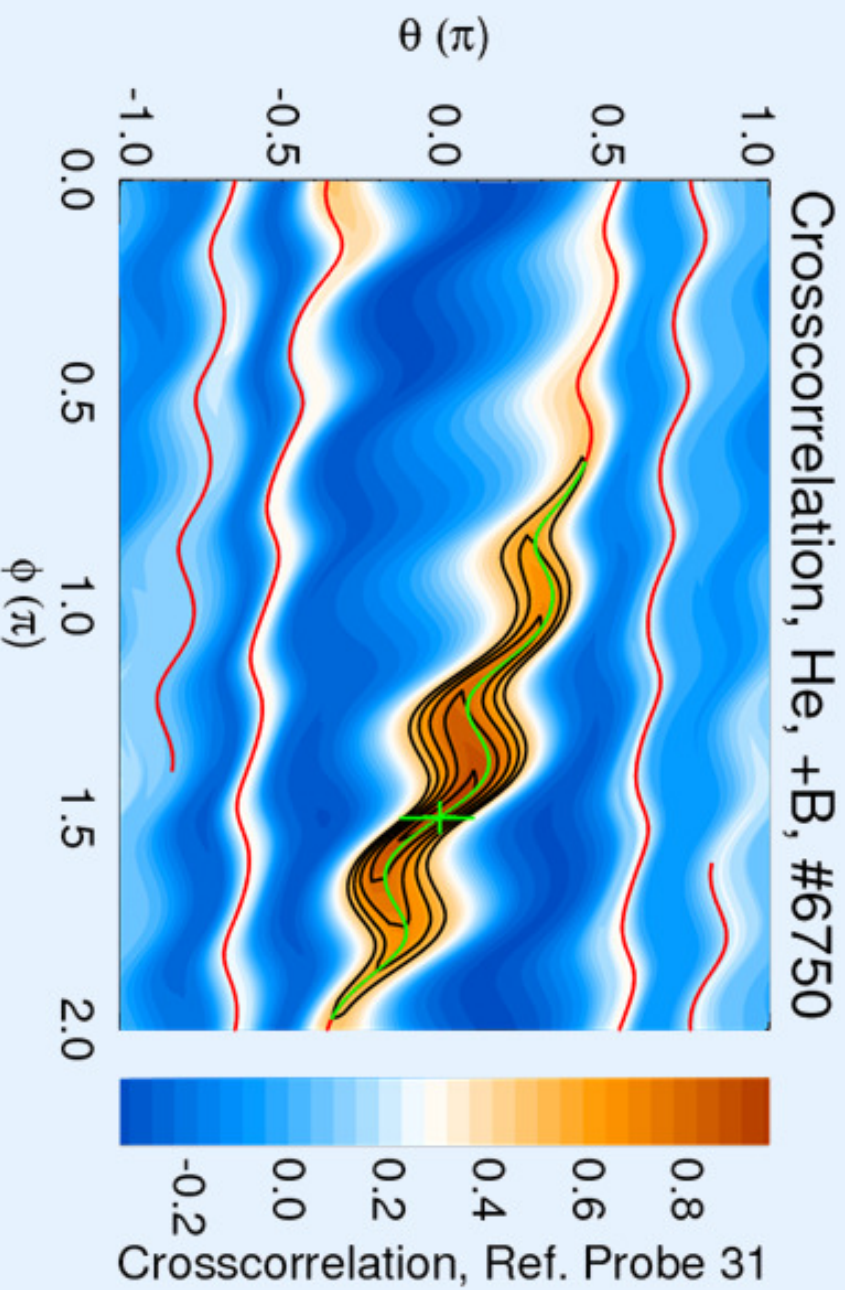


# 3D-Shape of Turbulent Structures

Position in the  $\phi$ - $\theta$  plane of a fluxsurface: fieldline



# 3D-Shape of Turbulent Structures



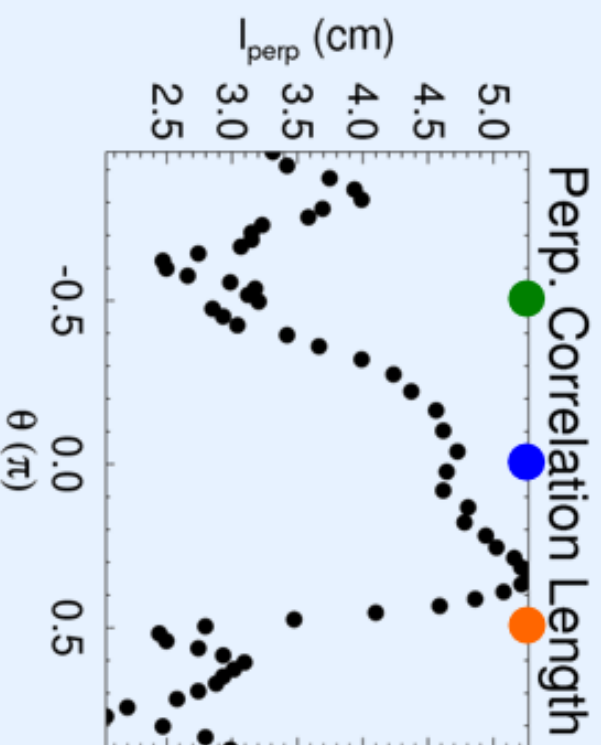
50% CC-level



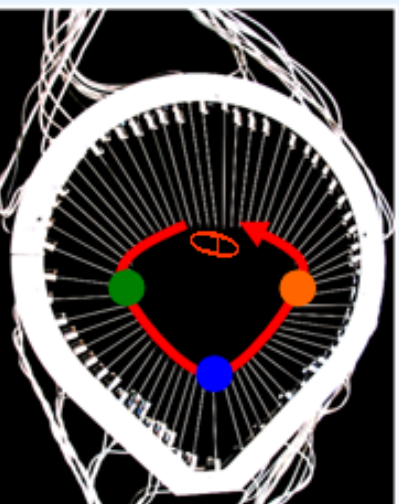
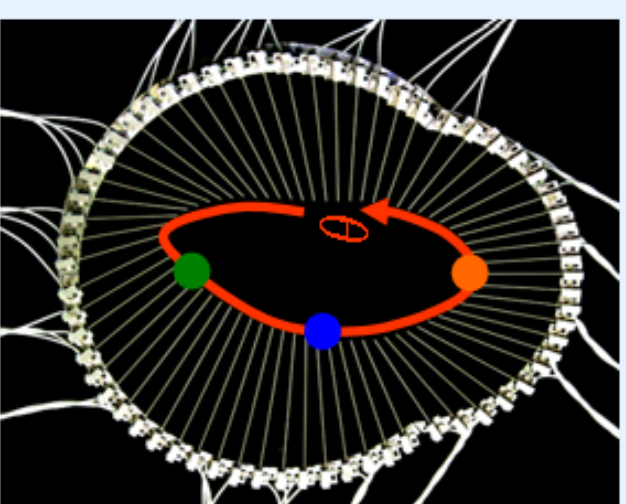
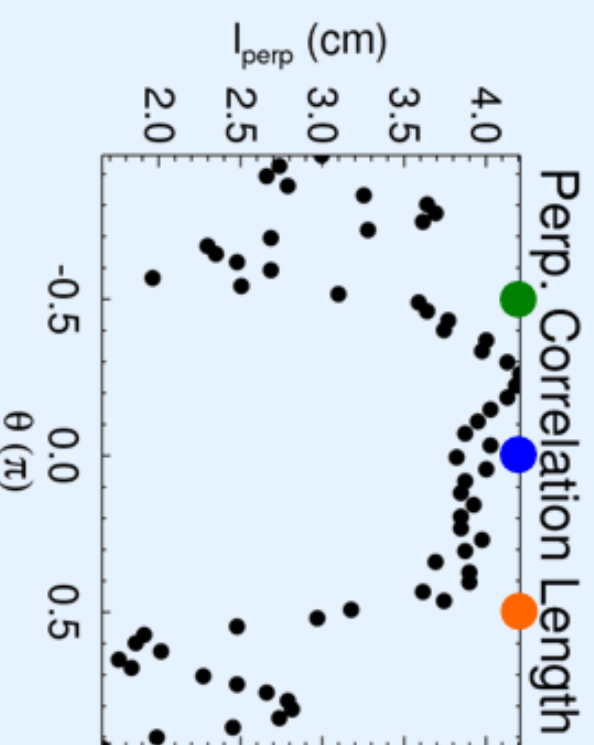
$$\begin{aligned}
 |_{\text{parallel}} &= 2.80 \text{ m} \\
 |_{\text{perp}} &= 4 \text{ cm} \\
 |_{\text{perp}} / |_{\text{parallel}} &= 0.014
 \end{aligned}$$

# 3D-Shape of Turbulent Structures

**TPA:**

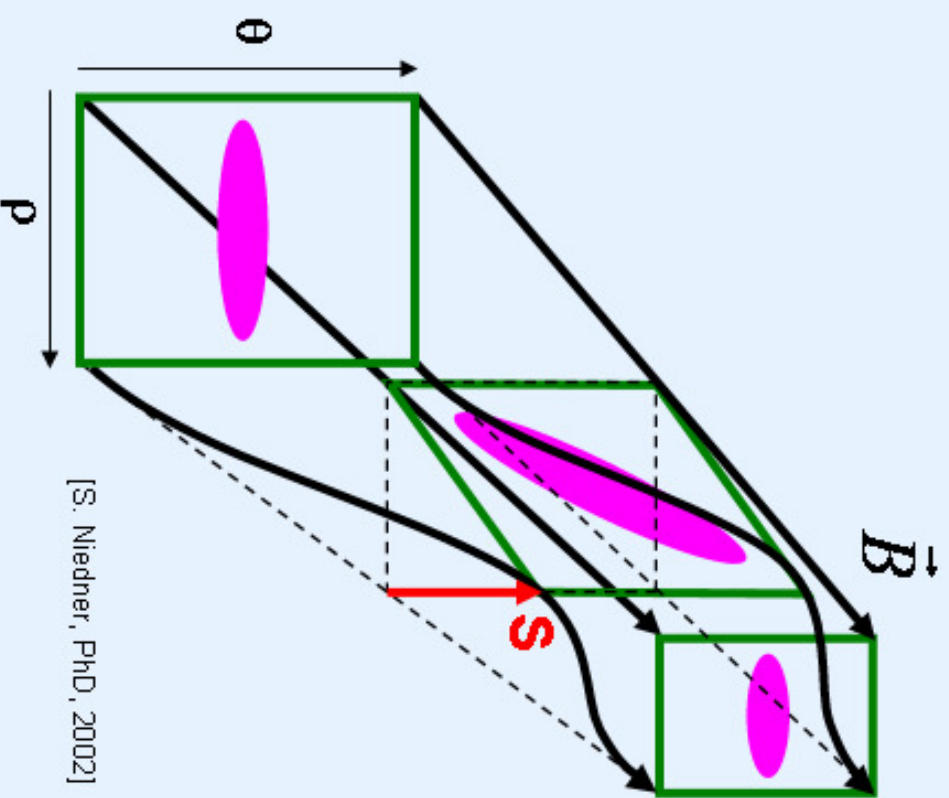
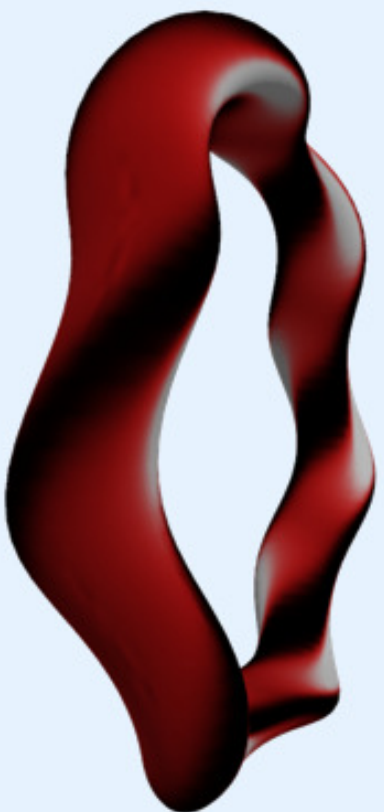


**OPA:**



Local magnetic shear:

$$S(\rho, \theta, \phi) = - \frac{(\nabla \rho \times \vec{B}) \cdot \nabla \times (\nabla \rho \times \vec{B})}{|\nabla \rho|^4}$$



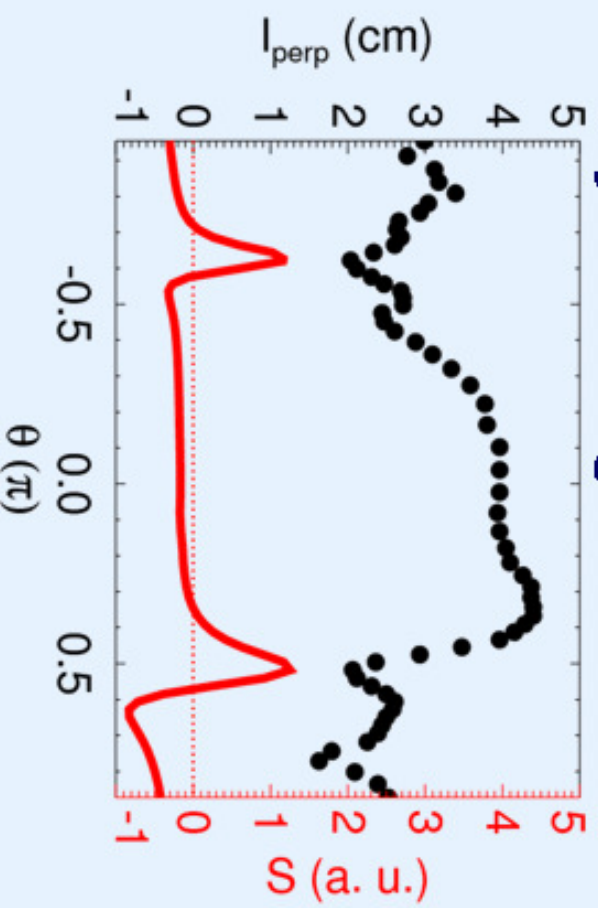
[S. Niedner, PhD, 2002]



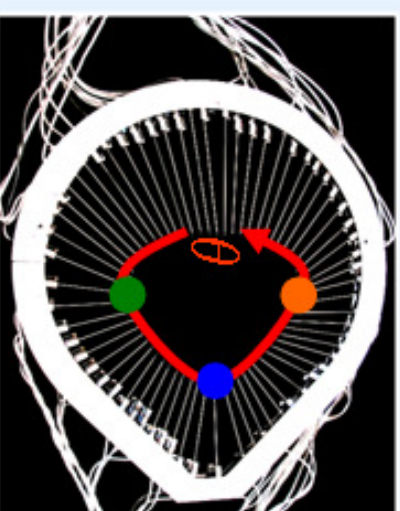
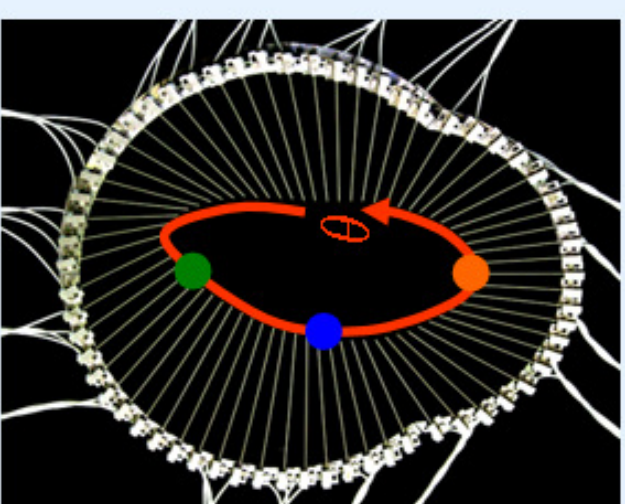
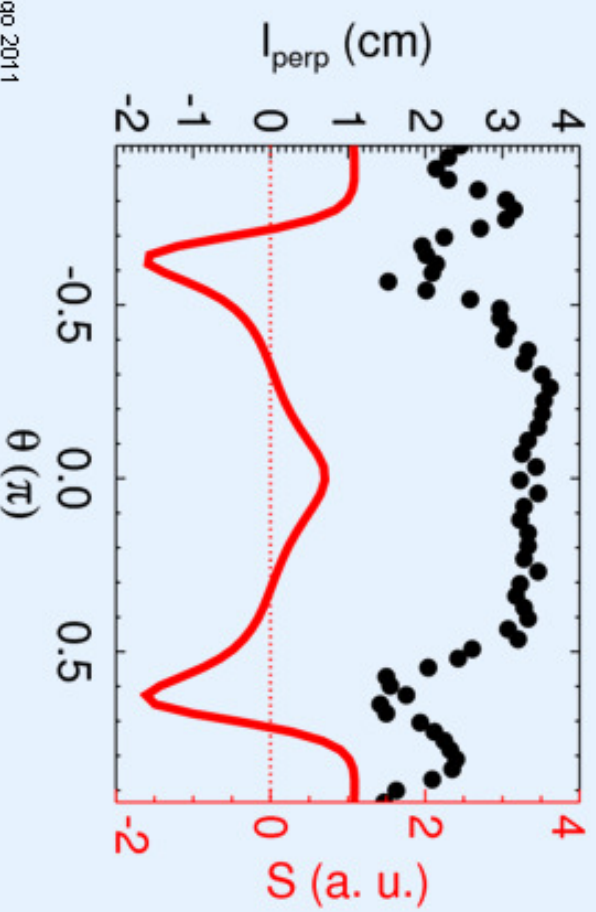
**Magnetic shear tilts/deforms turbulent structures**

$I_{\text{perp}}$  dominated by local magnetic shear?

**TPA:**

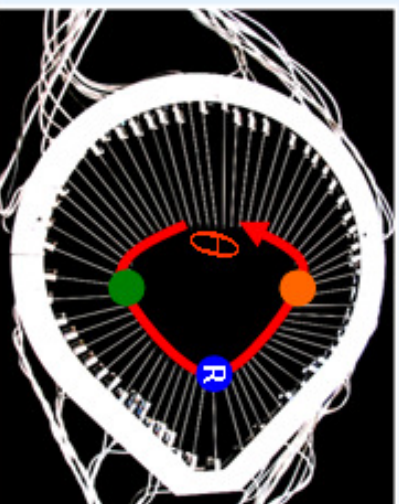
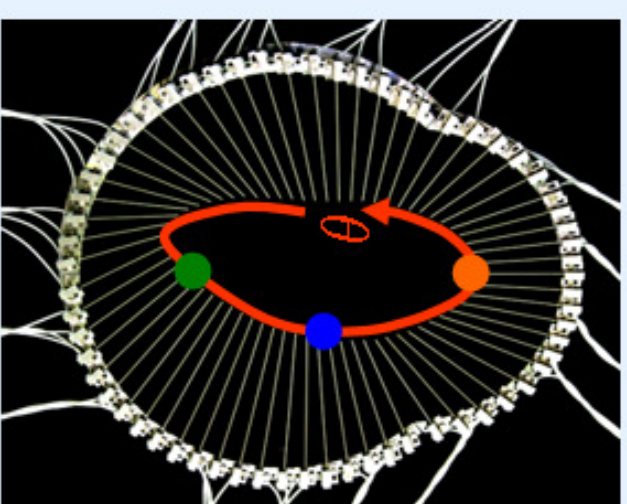
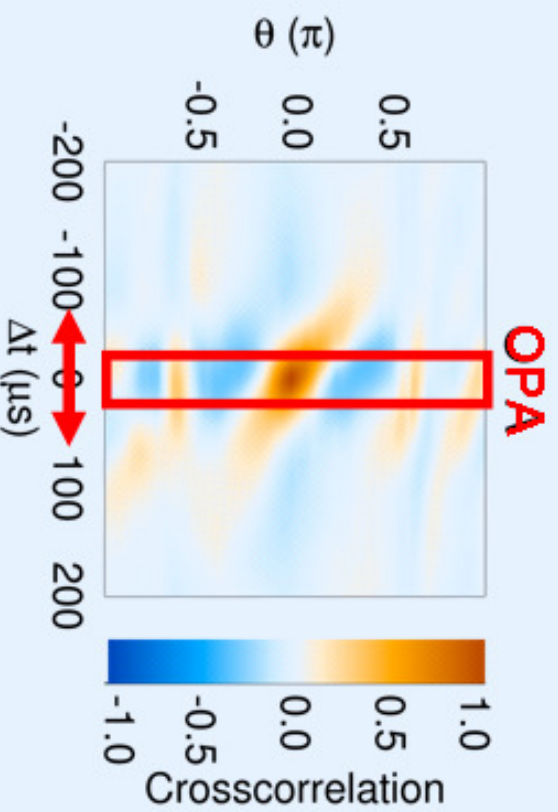
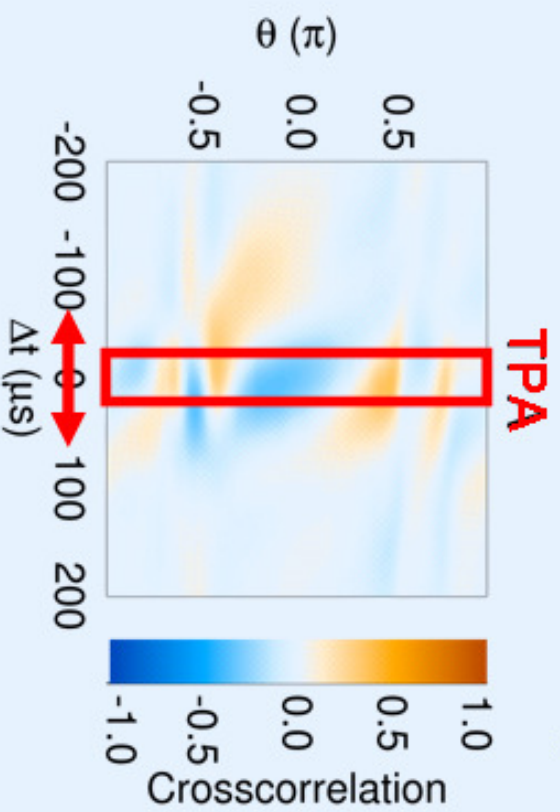


**OPA:**

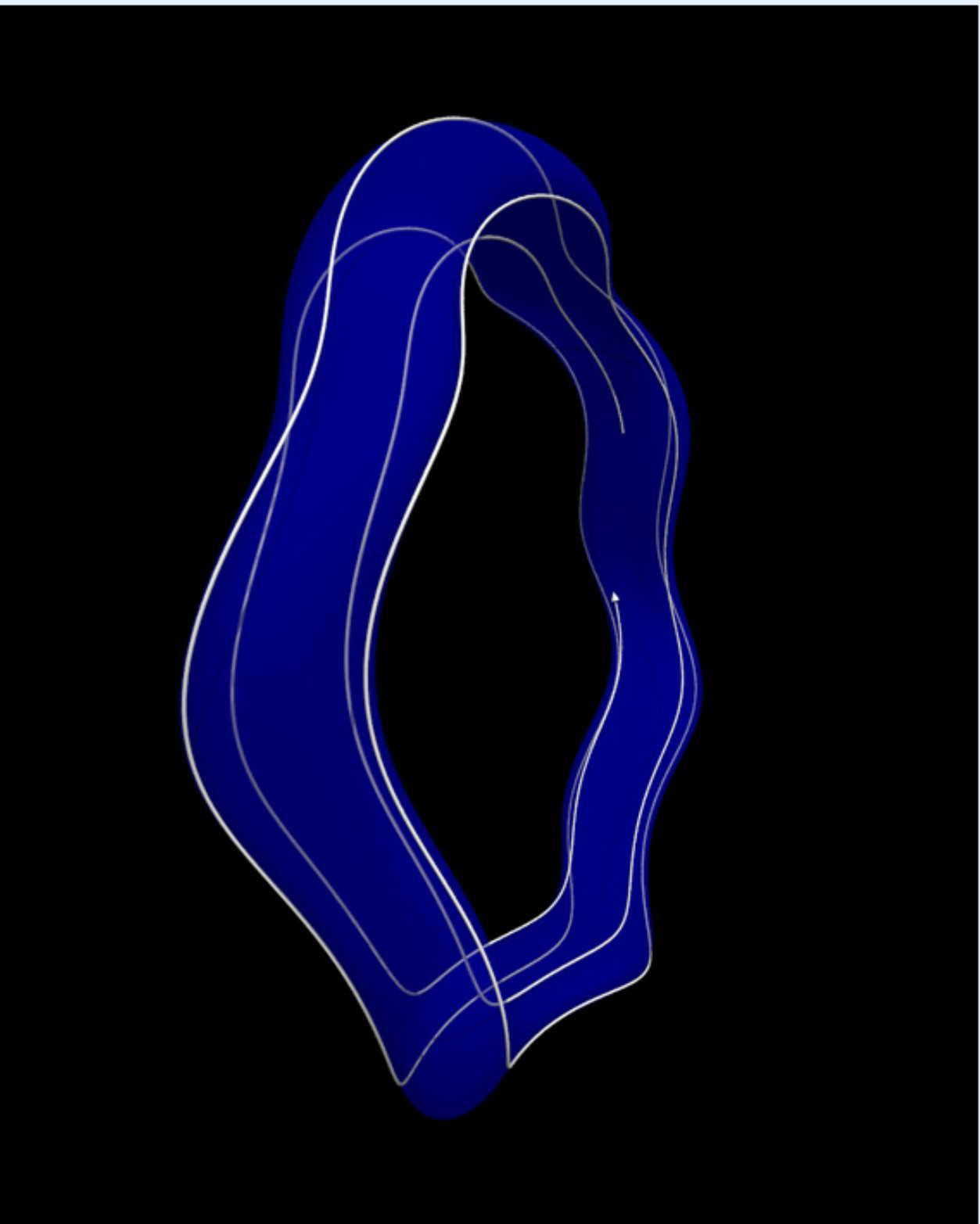


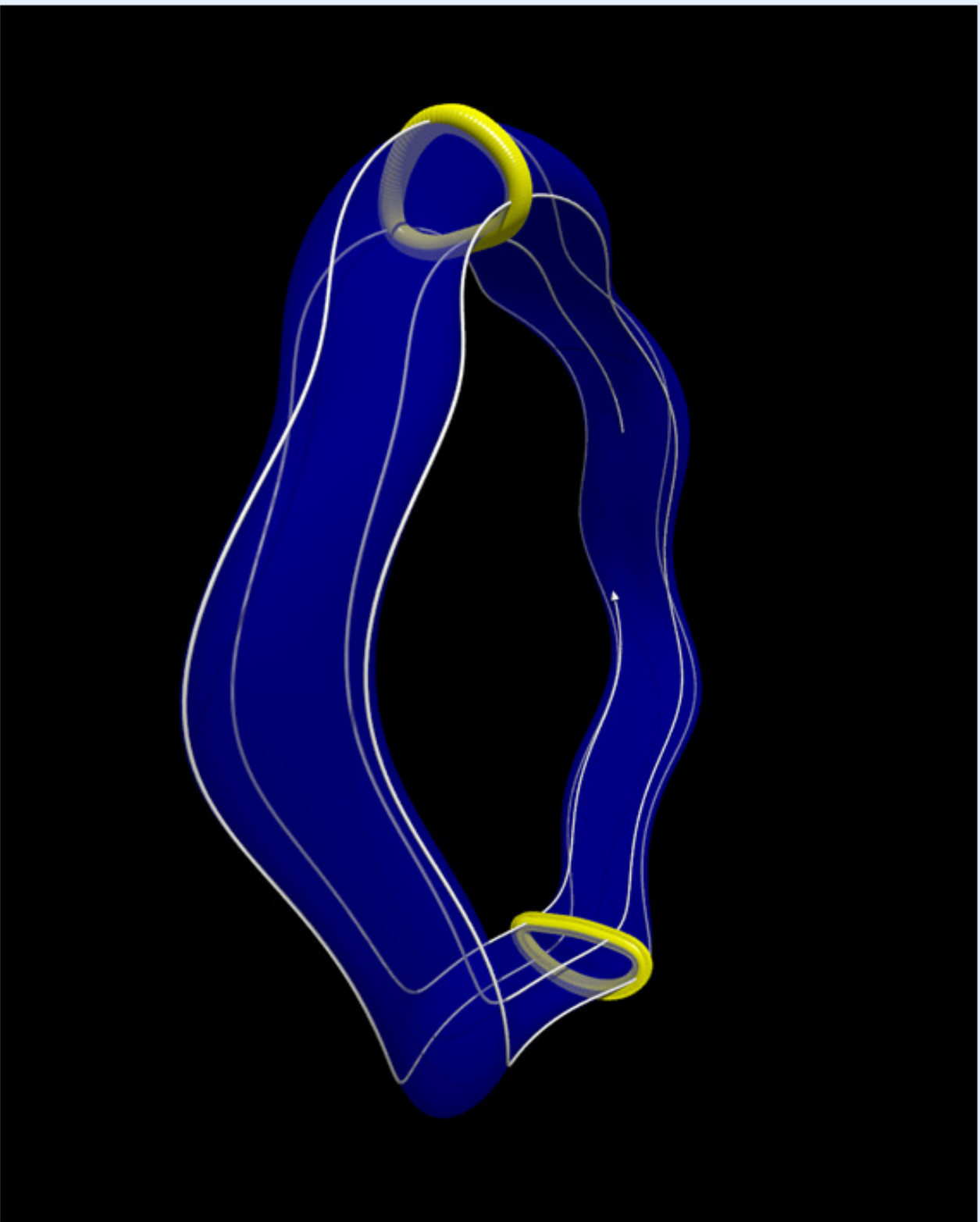


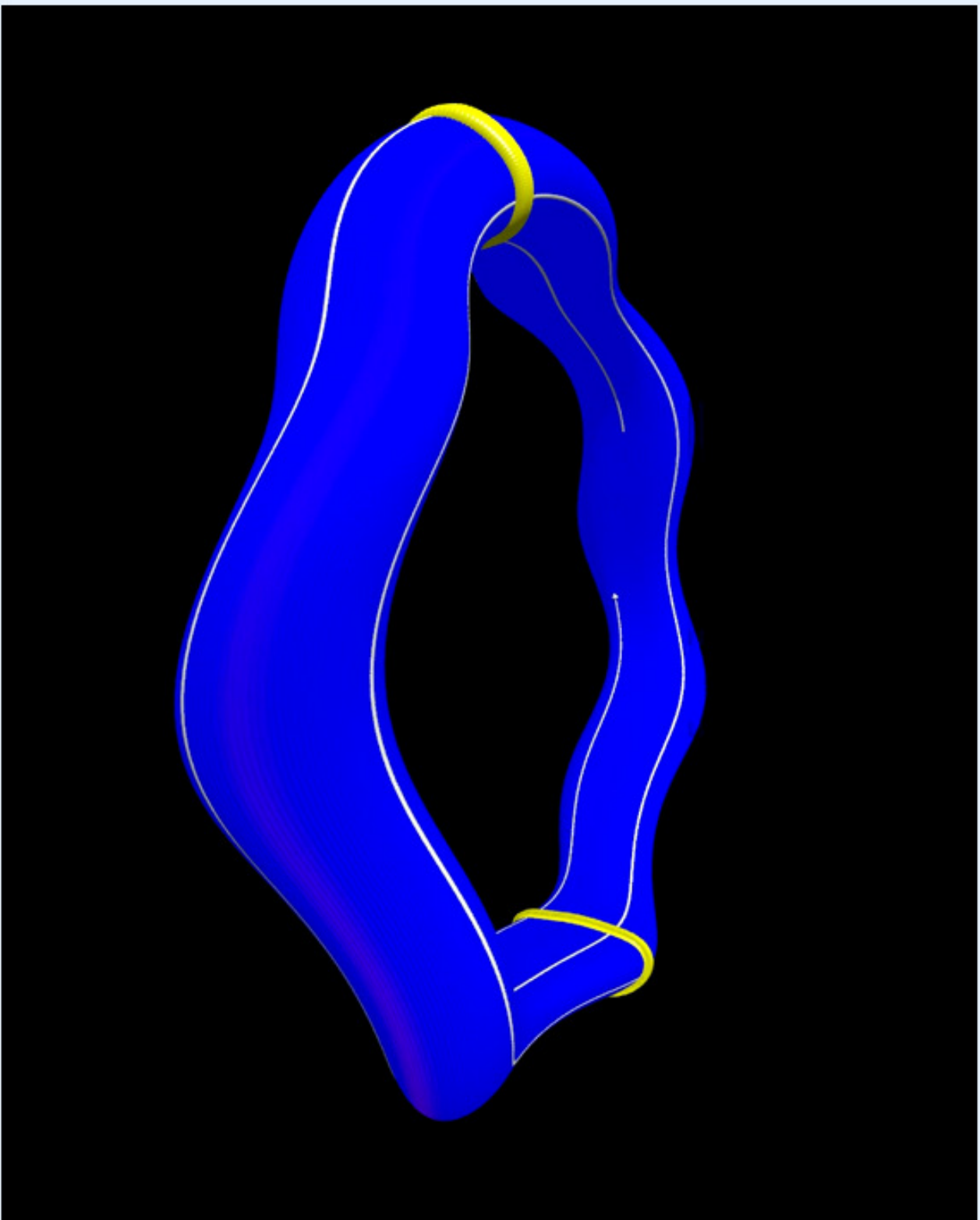
## Cross correlation between both arrays:



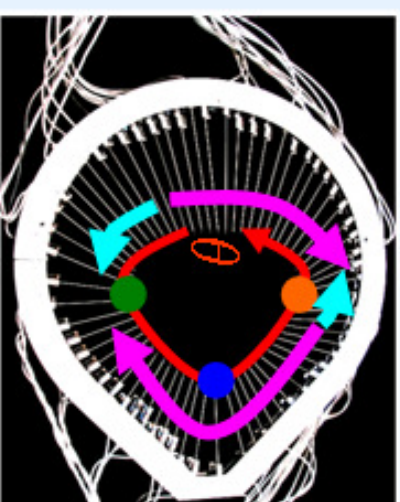
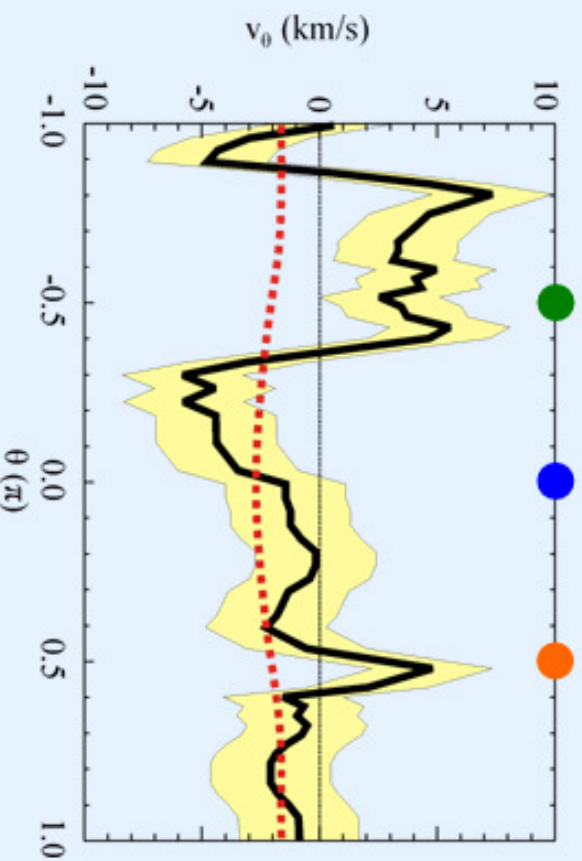
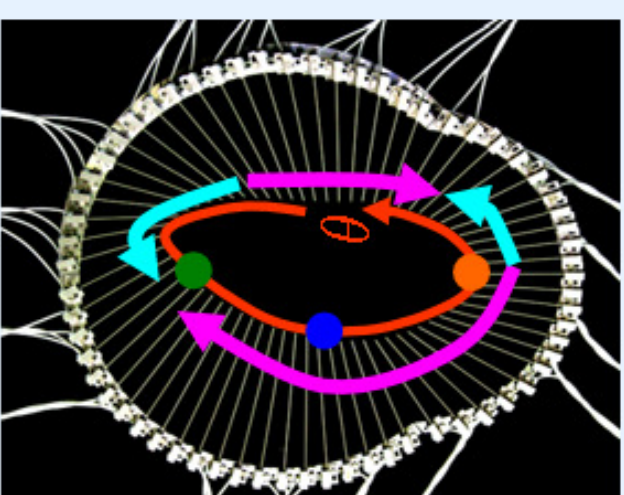
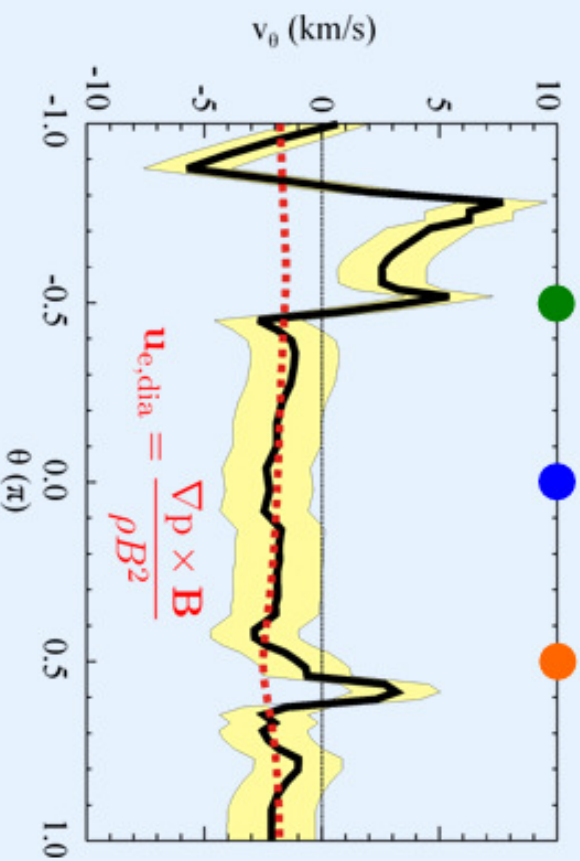
# Dynamics of Turbulent Structures





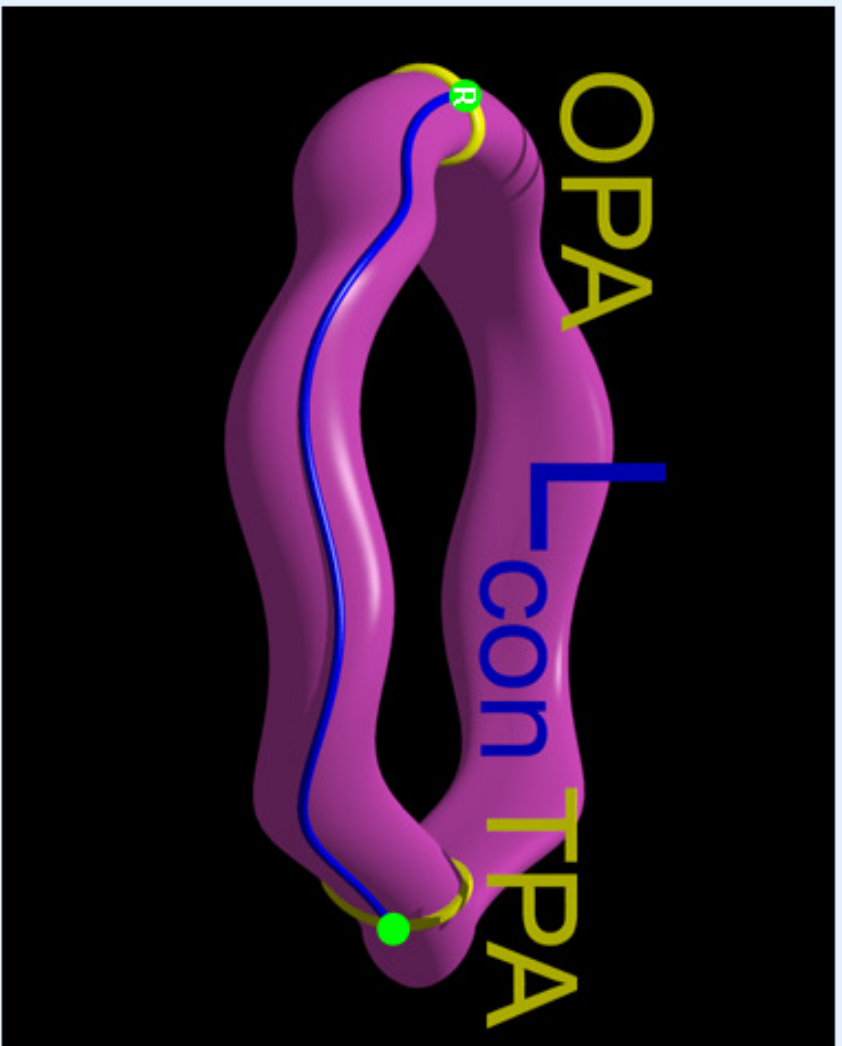
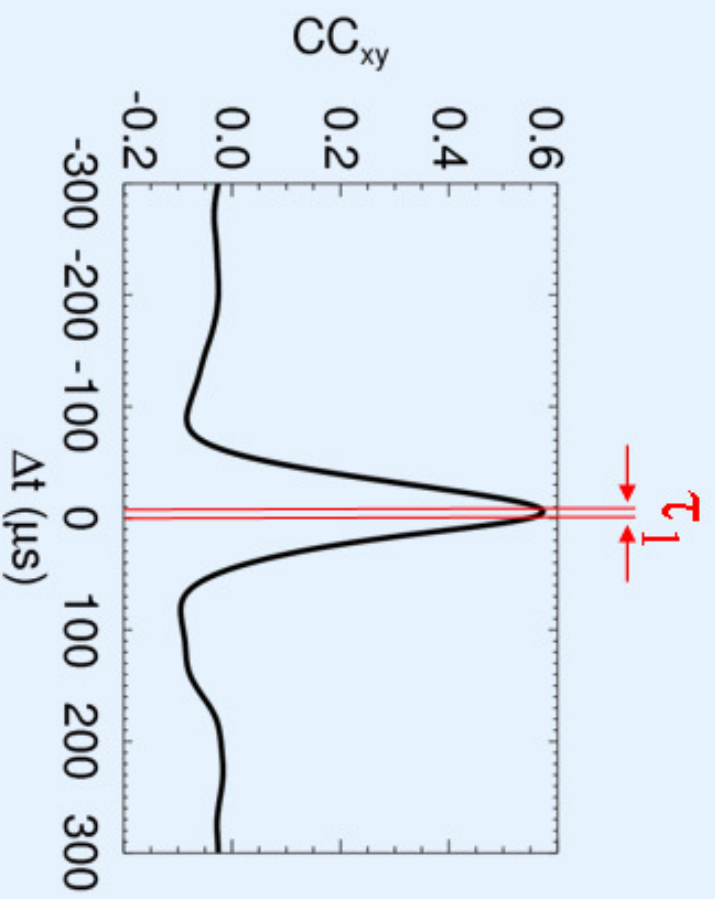


Perpendicular  
velocities:

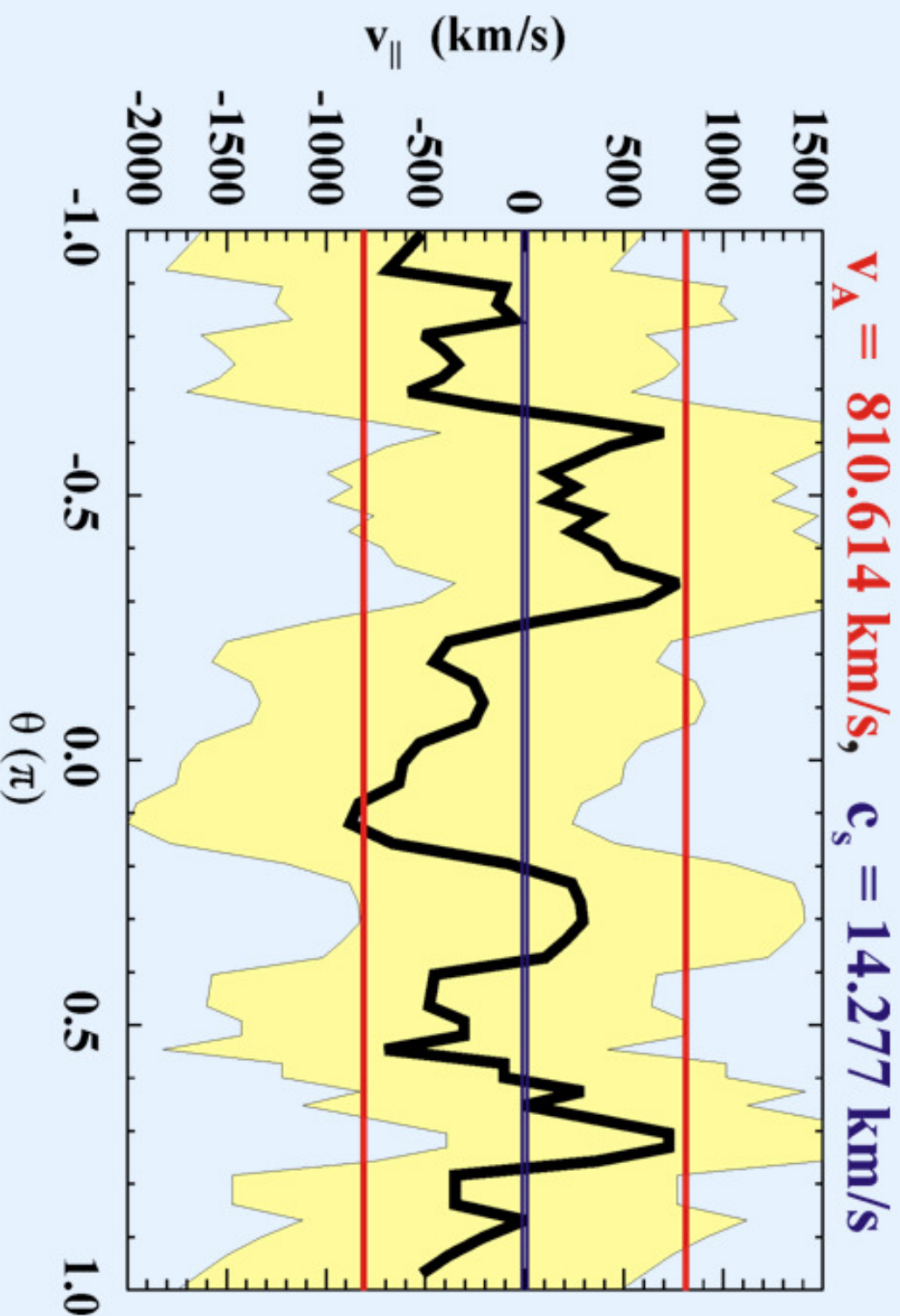


Parallel velocity:

$$v_{||} = \frac{L_{com}}{\tau_1}$$



# Dynamics of Turbulent Structures

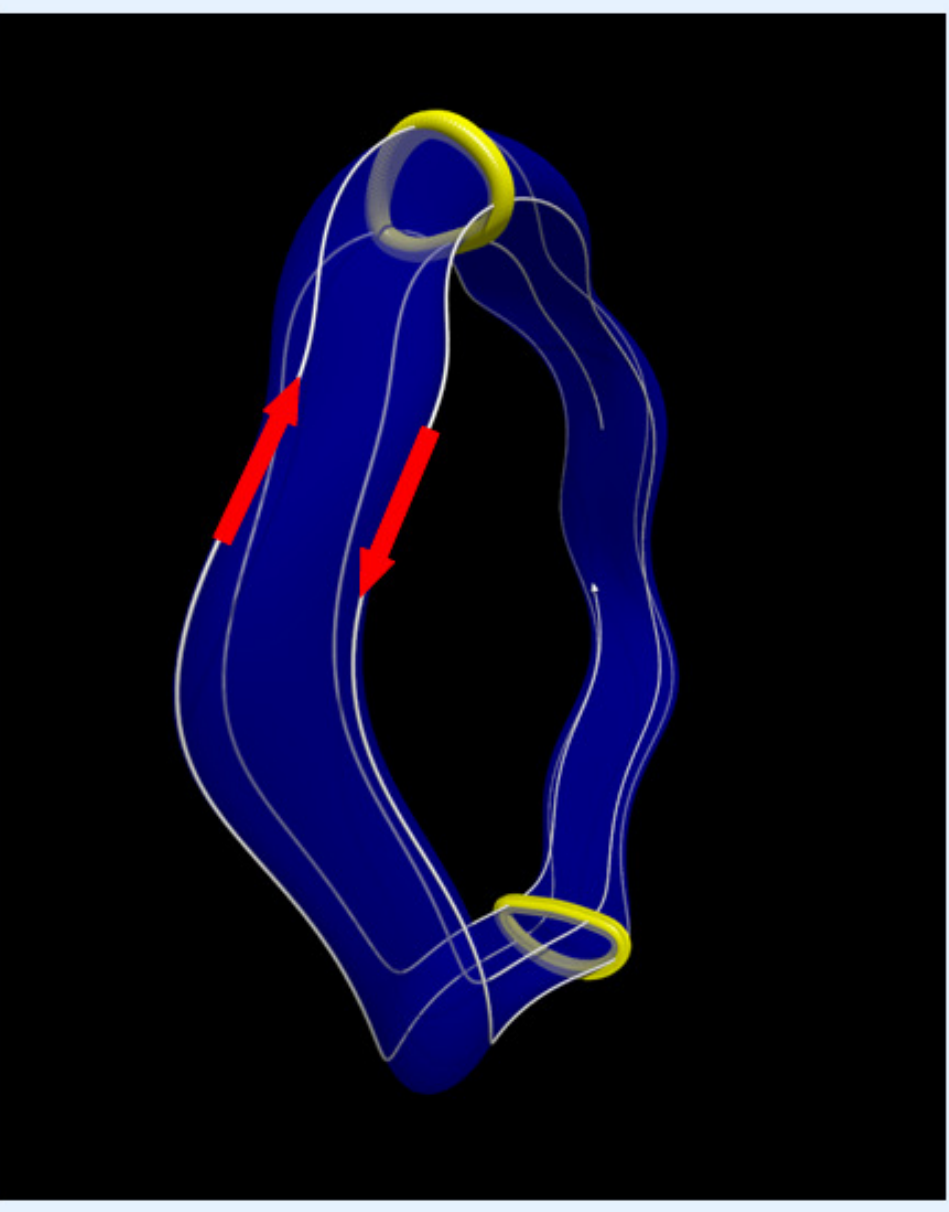
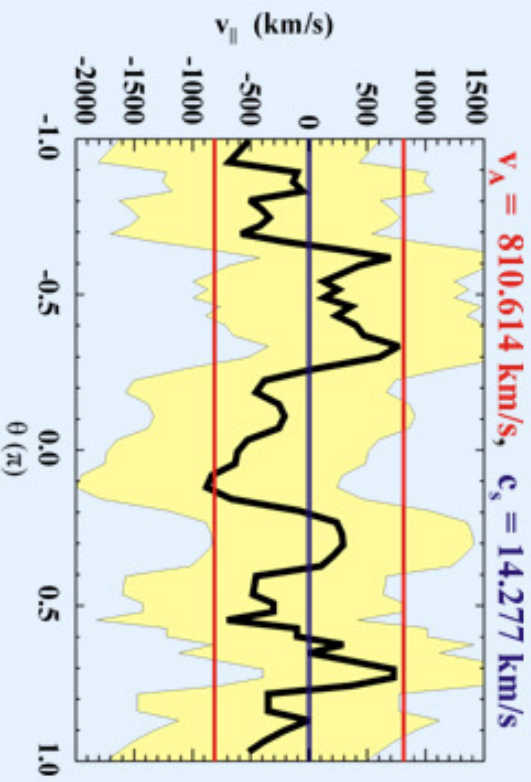


$$v_A = \frac{B}{\sqrt{\mu_0 m_i n}}$$

$$c_s = \sqrt{\frac{T_e}{m_i}}$$

Parallel propagation velocity for helium:

$$\bar{v}_{||} = (4.01 \pm 2.8) \times 10^5 \text{ m/s}$$



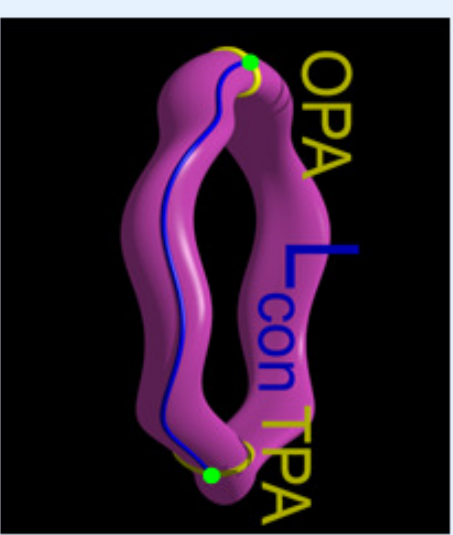
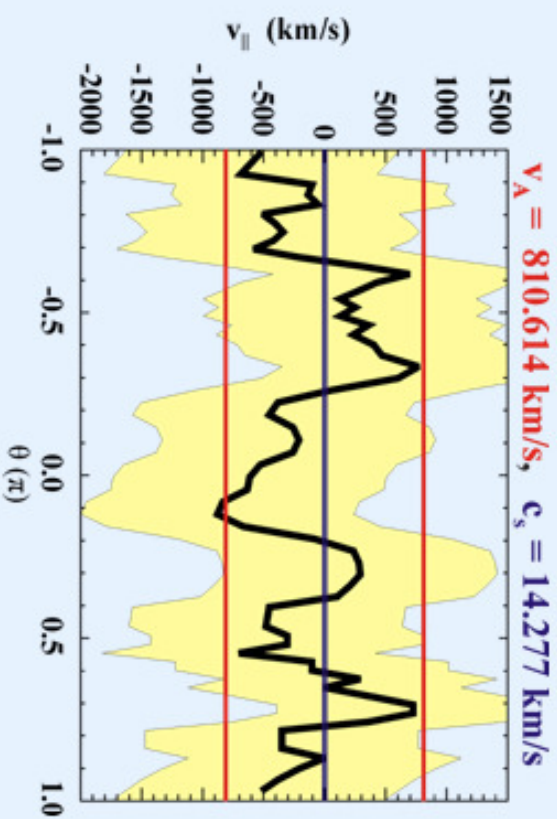
Parallel propagation velocity for helium:

$$\bar{v}_{\parallel} = (4.01 \pm 2.8) \times 10^5 \text{ m/s}$$

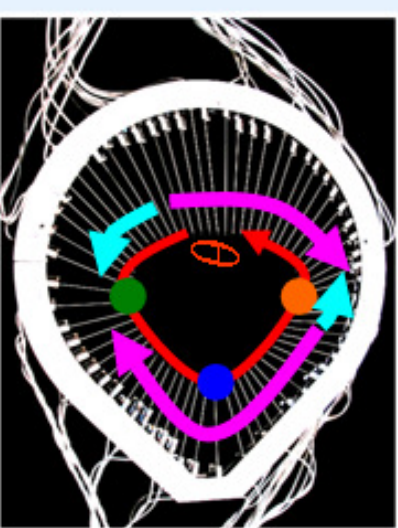
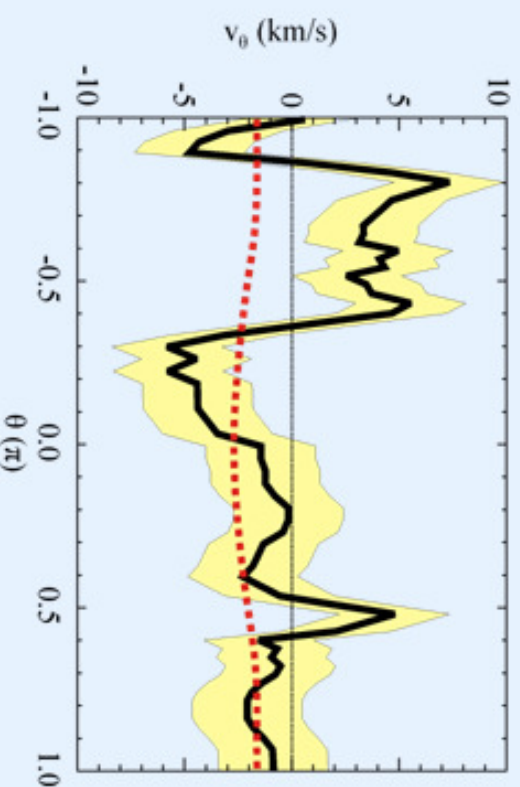


# Dynamics of Turbulent Structures

**Parallel Velocity:**

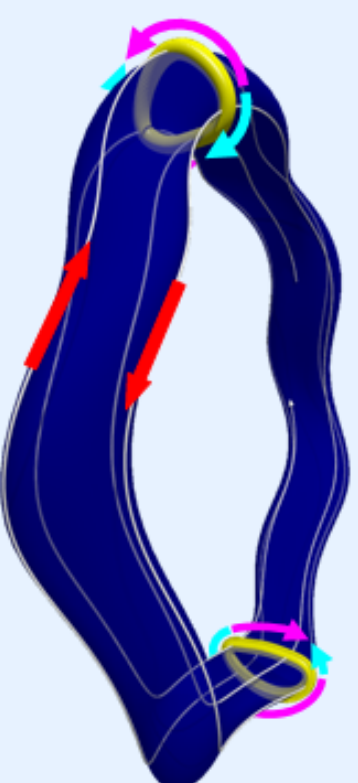
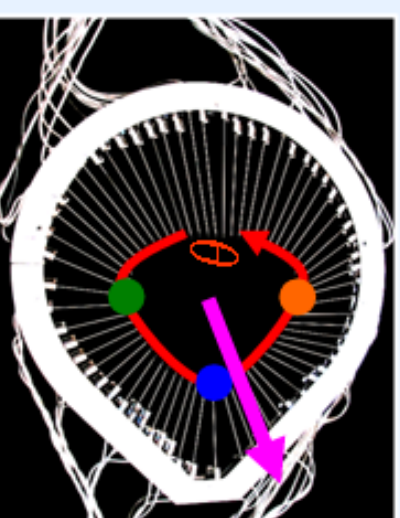


**Perpendicular Velocity:**

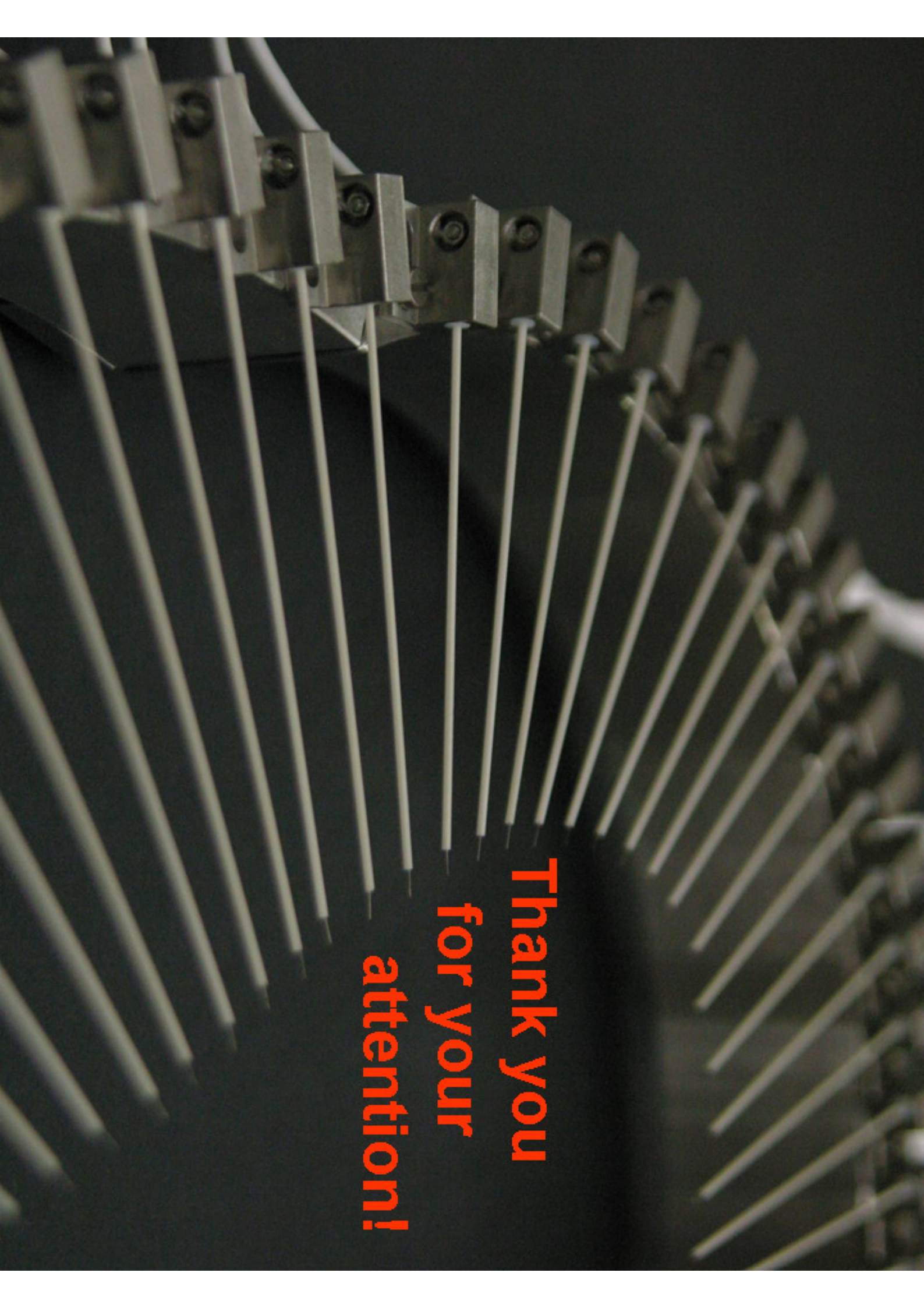


## 3D-Effects on turbulence:

- ▶ Pronounced turbulent transport maxima found in bad curvature region
- ▶ Perpendicular correlation lengths reduced in regions with high local magnetic shear
- ▶ Structure and dynamics of quasi-coherent modes in agreement with drift wave theory
- ▶ Surprising: change of direction of parallel and perpendicular propagation



**Only 3D investigations reveal complete dynamics of turbulence**



**Thank you  
for your  
attention!**